

Sunyaev–Zel’dovich observations with AMI of the hottest galaxy clusters detected in the *XMM–Newton* Cluster Survey

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ABSTRACT

We have obtained deep Sunyaev–Zel’dovich (SZ) observations towards 15 of the hottest XMM Cluster Survey (XCS) clusters that can be observed with the Arcminute Microkelvin Imager (AMI). We use a Bayesian analysis to quantify the significance of our SZ detections. We detect the SZ effect at high significance towards three of the clusters and at lower significance for a further two clusters. Towards the remaining 10 clusters, no clear SZ signal was measured. We derive cluster parameters using the XCS mass estimates as a prior in our Bayesian analysis. For all AMI-detected clusters, we calculate large-scale mass and temperature estimates while for all undetected clusters we determine upper limits on these parameters. We find that the large-scale mean temperatures derived from our AMI SZ measurements (and the upper limits from null detections) are substantially lower than the XCS-based core-temperature estimates. For clusters detected in the SZ, the mean temperature is, on average, a factor of 1.4 lower than temperatures from the XCS. Our upper limits on the cluster temperature of undetected systems are lower than the mean XCS derived temperature.

Key words: galaxies: clusters: general – cosmology: observations.

1 INTRODUCTION

The Sunyaev–Zel’dovich (SZ; Sunyaev & Zel’dovich 1972; see e.g. Birkinshaw 1999 and Carlstrom, Holder & Reese 2002) effect is a secondary anisotropy in the cosmic microwave background (CMB) radiation, and it is caused by the inverse-Compton scattering of CMB photons off intracluster electrons. SZ observations of clusters complement those obtained with X-ray satellites – the X-ray

Bremsstrahlung emission from the hot intracluster electrons is dependent upon $n_e^2 \Lambda(T_e)$, whereas the SZ signal follows $n_e T$, where n_e is the electron density and $\Lambda(T_e)$ is the electron cooling function which is approximately given by $T_e^{1/2}$ (Sarazin 1986). Due to its weaker dependence on the electron density, the SZ effect is an excellent probe of large-scale cluster parameters such as mass, temperature and Compton Y -parameter. X-ray data, on the other hand, have the advantage over SZ of having significantly better resolution. This allows for, e.g., the inner regions of the clusters and their density profiles to be characterized more precisely, albeit to within a smaller radius for all but a few recent measurements taken with the

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Suzaku satellite, see e.g., Kawaharada et al. (2010), Akamatsu et al. (2011) and Walker et al. (2012a,b), and with the *Chandra* satellite, see e.g., Bonamente et al. (2013). A further distinction is that the X-ray emission is dependent upon the luminosity distance to the cluster; hence, to detect distant clusters, the sensitivity of the X-ray observations must be high or the cluster must be very luminous. In contrast, the SZ surface brightness is wholly independent of redshift and therefore the integrated SZ flux density depends only on the angular diameter distance which is a weak function of redshift for $z \gtrsim 0.5$.

Large SZ cluster surveys, such as those by the ACT (e.g., Hincks et al. 2010 and Marriage et al. 2011), SPT (e.g. Vanderlinde et al. 2010, Carlstrom et al. 2011, Williamson et al. 2011 and Reichardt et al. 2013) and *Planck* (e.g. Tauber et al. 2010 and Planck Collaboration et al. 2011) have already discovered over a hundred new clusters and many more are expected to be found in the near future. Fulfilling the cosmological potential of these surveys relies, amongst other things, on accurate determination of cluster masses. Disentangling biases and other effects in the process of calculating cluster mass from observables is challenging and it may be that multifrequency data are required.

The Arcminute Microkelvin Imager (AMI; see AMI Consortium: Zwart et al. 2008) is a radio interferometer optimized for SZ observations at 16 GHz. AMI has been used to observe several samples of well-known galaxy clusters (see e.g., AMI Consortium: Hurley-Walker et al. 2011, AMI Consortium: Rodríguez-González et al. 2011, 2012, AMI Consortium: Zwart et al. 2011, AMI Consortium: Hurley-Walker et al. 2012, and AMI Consortium: Schammel et al. 2013) and has also conducted a blind SZ survey (see AMI Consortium: Shimwell et al. 2012). In this paper, we present AMI observations of the hottest observable clusters in the XMM Cluster Survey (XCS) catalogue (Mehrtens et al. 2012). These optically confirmed clusters span a wide range of XCS-quoted 0.05–100 keV band rest-frame luminosities (L_X , $0.42\text{--}47.9 \times 10^{37}$ W), redshifts (z , 0.15–1.13) and temperature estimates (T_X , 5.2–14.7 keV). So they may: improve our understanding of a variety of cluster systems; test the numerous scaling relations between SZ- and X-ray-derived parameters and observables; and help identify causes of possible discrepancies in derived cluster parameters such as mass.

We assume a concordance Λ cold dark matter cosmology with $\Omega_m = 0.3$, $\Omega_\Lambda = 0.7$ and $H_0 = 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$. Coordinates are J2000.

2 CLUSTER SAMPLE

The XCS survey focused on analysing archival *XMM-Newton* data to detect galaxy clusters. In the XCS catalogue, there are a total of 503 X-ray-detected and optically confirmed galaxy clusters of which 255 are new to the literature. The methodology used for the X-ray analysis is described in Lloyd-Davies et al. (2011) and the first data release, together with the optical analysis methodology, is presented in Mehrten et al. (2012), both of which we now summarize. (Note that for the majority of the detected clusters the derived 0.05–100 keV band luminosity, radius, redshift and temperature are available in the XCS catalogue¹.)

In the X-ray analysis, extended X-ray sources are identified as candidate clusters and the location, ellipticity and shape of each is quantified. For several candidates, cluster spectroscopic redshifts have been determined or values are taken from the literature. When

no spectroscopic redshift is determined, photometric redshifts have been obtained from single colour ($r - z$) images of the candidates from either dedicated follow-up observations or from public SDSS data using an algorithm based on Gladders & Yee (2000) that makes use of a colour–magnitude relation. The temperature and luminosity are derived by fitting models that describe the hot plasma (Mewe, Lemen & van den Oord 1986) and photoelectric absorption (Morrison & McCammon 1983) to the spectra, allowing for potential contamination from point sources and cool cores through spectral fitting. The X-ray surface brightness is then characterized by a spherically symmetric β -profile (Cavaliere & Fusco-Femiano 1978), allowing for contamination from cool cores and AGN. Under the assumption that the cluster gas is isothermal, the radius r_Y can be determined, where r_Y is defined as the radius inside which the mean total density is Y times the critical density of the Universe at the cluster redshift, $\rho_{\text{crit},z}$. Using the derived radius the luminosity can be aperture-corrected to obtain $L_{X,Y}$. The XCS-derived luminosities have been compared with the 0.001–50 keV band luminosities and temperatures from Pacaud et al. (2007) and are found to be in good agreement. For more details on the X-ray catalogue see Lloyd-Davies et al. (2011), Mehrten et al. (2012) and references within.

We have used AMI to conduct 16 GHz observations towards those XCS clusters within AMI’s easy declination range ($20^\circ < \delta < 80^\circ$) and with an X-ray mean temperature estimate greater than 5 keV. This left 34 clusters (see Table 1) which we refer to as our full sample. A further 14 XCS clusters with $T_X < 5$ keV lie close enough to these hot clusters to be within the AMI fields of view.

At 16 GHz, contamination from radio point sources can lead to significant obscuration of an SZ effect and prevent its detection and/or the estimation of robust cluster parameters. 15 clusters from our full sample have been excluded from our analysis, either because of there being ≥ 15 mJy of flux within 10 arcmin of the XCS cluster position, or because of a source with a peak flux density greater than 15 mJy on the primary beam-attenuated SA image (see Table 1 for a summary of the radio source environment towards each of the clusters in our full sample). Further, we excluded XM J1000+6839, XM J1217+4729 and XM J1217+4728 due to the presence of bright, extended emission away from the pointing centre, and we excluded XM J1122+4659 due to the existence of faint, extended emission at the location of the cluster which we could not confidently remove. We emphasize that in our observations of clusters from the XCS sample, there is particularly high radio source contamination which is possibly a selection effect due to the nature of the XCS: it uses images from targeted X-ray observations that were made because they are *interesting*, often because they contain bright X-ray sources – and there is a correlation between X-ray bright and radio bright. Indeed, within our full sample, we find, for example, the galaxies NGC 4258 and NGC 5548 and the calibrator sources J1110+4817 (0.13 Jy) and J1407+2827 (1.9 Jy).

After the removal of the clusters a total of 15 hot clusters remain, to which we refer as our SZ sample. The redshifts, temperatures and luminosities for all 15 XCS clusters in the SZ sample are shown in Fig. 1 and listed with the other 19 clusters in our full sample in Table 1. There are nine lower temperature XCS clusters within 15 arcmin of these XCS clusters (see Table 2). We have searched the literature for other known clusters within the 15 arcmin of the SZ sample clusters and eight additional clusters – not in the XCS catalogue – were found. These additional clusters are shown in Table 2 and were found in the maxBCG (Koester et al. 2007), MCXC (Piffaretti et al. 2011) and Zwicky (Abell 1958; Corwin 1974) catalogues. We have included Abell 1758A (13:32:43.10 +50:32:58.99)

¹ <http://xcs-home.org/>

Table 1. A summary of the X-ray-derived cluster properties from Mehrrens et al. 2012 (also see Fig. 1), the sensitivity of our 16-GHz AMI observations and the details of the observed radio source environments towards the 34 XCS clusters comprising our full cluster sample, which has been selected according to $20^\circ < \delta < 80^\circ$ and $T_X > 5$ keV. Redshifts were obtained by different methods: ‘spec’ means optical spectroscopic redshift; ‘phot’ means photometric redshift derived from single colour ($r - z$) images by an algorithm based on Gladders & Yee (2000); and ‘X-ray’ implies X-ray spectroscopic redshift. The X-ray luminosity is from the 0.05–100 keV band. Errors on the luminosities of XM J0041+2526, XM J0847+3448, XM J1050+5737 and XM J1115+5319 are not provided in the XCS catalogue. The X-ray counts are background-subtracted. Given our LA rastering technique (Fig. 2), we have presented inner and outer thermal-noise estimates where the noise in the region of the hot XCS cluster is the inner estimate. In the final column, we indicate which clusters are in the SZ sample.

Identity	Redshift	X-ray luminosity inside r_{200} 1×10^{37} W	X-ray temperature (keV)	X-ray counts	σ_{SA} (0.6 kJ taper) (mJy)	Inner σ_{LA} (mJy)	Outer σ_{LA} (mJy)	Total LA flux density within 10 arcmin (mJy)	Peak SA flux density (mJy)	SZ sample
XM J0041+2526	0.15 (spec)	1.13	$14.7^{+8.4}_{-3.7}$	1410	0.29 (0.32)	0.16	0.14	15.8	13.4	×
XM J0046+4204	0.30 (X-ray)	$6.99^{+0.25}_{-0.27}$	$6.9^{+0.6}_{-0.6}$	10 443	0.20 (0.29)	0.08	0.09	21.3	10.6	×
XM J0110+3305	0.60 (phot)	$3.9^{+2.17}_{-1.37}$	$5.2^{+1.2}_{-1.0}$	587	0.11 (0.12)	0.10	0.11	6.8	5.5	✓
XM J0116+3303	0.64 (phot)	$3.69^{+1.4}_{-1.0}$	$5.6^{+1.8}_{-1.1}$	423	0.16 (0.22)	0.14	0.15	11.5	6.6	✓
XM J0515+7939	0.61 (phot)	$2.43^{+0.39}_{-0.39}$	$7.1^{+2.2}_{-1.5}$	347	0.12 (0.15)	0.08	0.09	10.4	3.6	✓
XM J0830+5241	0.99 (X-ray)	$14.48^{+0.76}_{-1.43}$	$6.3^{+0.6}_{-0.6}$	3674	0.10 (0.13)	0.06	0.09	8.8	2.1	✓
XM J0837+5532	0.28 (phot)	$0.65^{+0.55}_{-0.37}$	$5.2^{+8.5}_{-2.1}$	136	1.09 (1.47)	0.12	0.13	50.6	20.4	×
XM J0847+3448	0.56 (spec)	4.85	$5.6^{+0.7}_{-0.5}$	1494	0.45 (0.55)	0.14	0.12	41.5	12.2	×
XM J0901+6006	0.29 (phot)	$19.09^{+3.86}_{-3.16}$	$5.9^{+2.9}_{-1.4}$	1379	0.14 (0.17)	0.14	0.14	7.5	3.8	✓
XM J0916+3027	0.59 (phot)	$2.25^{+0.44}_{-0.53}$	$5.7^{+2.1}_{-1.4}$	295	0.15 (0.21)	0.13	0.13	5.2	3.7	×
XM J0918+2114	1.01 (spec)	$3.13^{+0.53}_{-0.63}$	$8.3^{+5.3}_{-2.9}$	289	0.75 (1.03)	0.13	0.13	2.0	25.7	×
XM J0923+2256	0.19 (spec)	$1.91^{+0.81}_{-0.78}$	$8.5^{+6.0}_{-3.0}$	713	0.17 (0.27)	0.14	0.15	3.6	1.9	✓
XM J0925+3059	0.52 (phot)	$3.72^{+0.80}_{-0.70}$	$5.8^{+1.5}_{-1.0}$	1015	0.12 (0.17)	0.09	0.14	7.1	6.3	✓
XM J0953+6947	0.21 (spec)	$1.01^{+2.98}_{-0.65}$	$5.7^{+1.1}_{-0.7}$	2291	2.85 (4.19)	0.21	0.26	9.8	44.0	×
XM J1000+6839	0.47 (phot)	$1.79^{+0.85}_{-1.12}$	$5.4^{+1.3}_{-0.9}$	720	0.20 (0.26)	0.12	0.12	12.0	6.2	✓
XM J1031+3113	0.37 (spec)	$0.39^{+0.36}_{-0.25}$	$5.8^{+8.7}_{-2.2}$	314	0.58 (0.82)	0.11	0.12	6.0	29.4	×
XM J1050+5737	0.69 (spec)	0.7	$8.2^{+6.3}_{-2.9}$	377	0.13 (0.15)	0.08	0.09	10.4	1.2	✓
XM J1053+5735	1.13 (spec)	$3.27^{+0.46}_{-0.29}$	$5.7^{+0.8}_{-0.6}$	1903	0.12 (0.15)	0.09	0.08	29.2	19.4	×
XM J1104+3544	0.56 (phot)	$4.32^{+6.01}_{-4.04}$	$10.7^{+14.6}_{-4.4}$	178	0.14 (0.16)	0.10	0.11	24.6	7.0	×
XM J1109+4827	0.51 (phot)	$3.38^{+0.37}_{-0.40}$	$6.2^{+1.6}_{-1.4}$	1164	0.18 (0.19)	0.11	0.13	20.6	26.2	×
XM J1115+5319	0.47 (spec)	20.48	$5.4^{+1.5}_{-0.9}$	1359	0.21 (0.26)	0.09	0.11	10.0	1.5	✓
XM J1122+4659	0.44 (phot)	$0.68^{+0.09}_{-0.20}$	$5.4^{+2.6}_{-1.8}$	575	0.11 (0.15)	0.10	0.10	10.0	1.9	×
XM J1217+4729	0.27 (spec)	$23.2^{+13.1}_{-10.8}$	$9.8^{+6.6}_{-3.7}$	188	0.15 (0.21)	0.11	0.11	4.1	8.3	×
XM J1217+4728	0.27 (phot)	$0.42^{+0.15}_{-0.18}$	$5.5^{+6.7}_{-2.5}$	192	0.17 (0.22)	0.10	0.11	2.5	13.3	×
XM J1226+3332	0.89 (phot)	$47.87^{+1.13}_{-1.10}$	$11.1^{+0.5}_{-0.5}$	16 801	0.12 (0.18)	0.05	0.08	7.3	4.6	✓
XM J1259+2830	0.52 (phot)	$3.13^{+0.18}_{-0.48}$	$8.5^{+1.7}_{-1.6}$	1991	1.12 (1.24)	0.12	0.15	2.3	105.8	×
XM J1309+5739	0.2 (phot)	$0.69^{+1.59}_{-0.64}$	$7.9^{+6.3}_{-3.4}$	526	0.12 (0.15)	0.12	0.13	6.7	4.3	✓
XM J1332+5031	0.28 (spec)	$12.46^{+0.37}_{-3.66}$	$7.7^{+0.3}_{-0.4}$	2596	0.10 (0.13)	0.09	0.09	11.4	5.6	✓
XM J1406+2830	0.55 (spec)	$2.49^{+3.76}_{-0.97}$	$5.6^{+1.8}_{-1.3}$	325	1.98 (2.46)	0.19	0.25	13.0	185.1	×
XM J1418+2511	0.29 (spec)	$6.26^{+0.46}_{-0.42}$	$6.4^{+0.4}_{-0.4}$	5203	0.16 (0.19)	0.12	0.13	28.5	7.7	×
XM J1423+3828	0.43 (phot)	$2.72^{+1.20}_{-1.89}$	$6.4^{+5.6}_{-2.7}$	197	0.14 (0.17)	0.09	0.11	6.1	8.6	✓
XM J1429+4241	0.92 (spec)	$10.84^{+11.7}_{-6.62}$	$5.4^{+0.3}_{-0.3}$	1887	0.81 (0.86)	0.09	0.10	28.8	13.5	×
XM J1437+3415	0.51 (phot)	$3.86^{+14.68}_{-3.02}$	$8.4^{+6.3}_{-3.0}$	376	0.12 (0.15)	0.08	0.09	6.4	2.8	✓
XM J1542+5359	0.64 (phot)	$4.74^{+2.36}_{-3.29}$	$5.3^{+3.0}_{-1.6}$	338	0.47 (0.58)	0.10	0.11	3.4	23.7	×

in Table 2 even though this cluster is the same as XM J1332+5031. [The Piffaretti et al. (2011) position may be more accurate as some of the X-ray emission from XM J1332+5031 extends off the edge of the XCS search region.]

3 AMI

AMI consists of two arrays: the Large Array (LA) – the source subtractor – is an eight-element array of 12.8-m dishes with a resolution

≈ 30 arcsec; the Small Array (SA) – principally the SZ array – is a 10-element array of 3.7-m dishes with a resolution ≈ 3 arcmin. The resolution of the SA is designed to match the typical angular size of massive galaxy clusters, whereas the LA operates at higher resolution for accurate radio-source detection at the expense of lower surface brightness sensitivity. Both arrays operate with a 4.5-GHz bandwidth centred on 16 GHz. A technical summary of AMI is presented in Table 3 and a more complete description is given in AMI Consortium: Zwart et al. (2008).

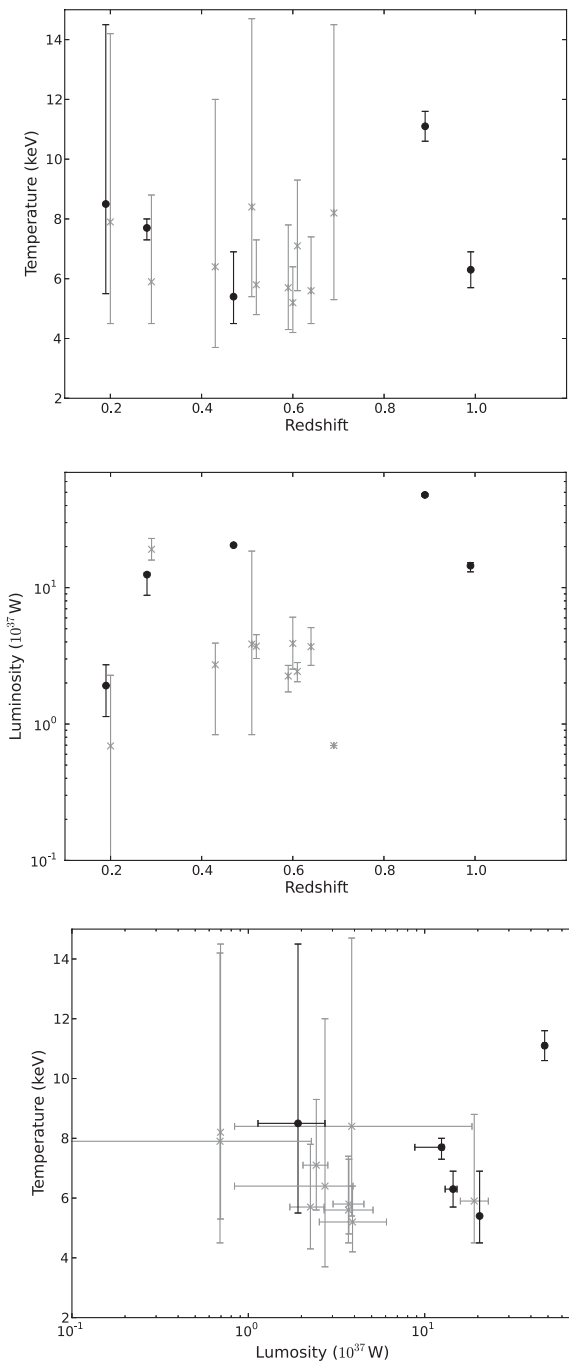


Figure 1. The redshifts, temperatures and luminosities of the 15 XCS clusters that are in our SZ sample. Errors in the luminosities for XM J1050+5737 and XM J1115+5319 cannot be plotted as they are not provided in the XCS catalogue. Clusters that are detected by AMI are indicated with black circles whereas those that are undetected by AMI are represented by grey ‘x’ symbols. Our SZ sample spans z (some are photometric estimates) of 0.19–0.99, L_X (0.05–100 keV band) of $0.7\text{--}47.9 \times 10^{37}$ W and T_X (XCS estimate) of 5.2–11 keV.

4 OBSERVATIONS

The SA and LA were used to observe the 34 XCS clusters between 2009 November 6 and 2012 June 6. SA observations were centred on the clusters’ X-ray coordinates and were interleaved every hour with 400 s phase-calibrator observations. For LA observations, we

typically used a 61+19 pt hexagonal raster² pointing grid centred on the cluster and these were interleaved every 10 min with 1 min phase-calibrator observations. For both arrays bi-daily observations of 3C 48 or 3C 286 are used for amplitude calibration (the assumed flux densities are consistent with the Rudy et al. 1987 model of Mars and are given in AMI Consortium: Franzen et al. 2011). The bright phase calibrators are from Patnaik et al. (1992), Browne et al. (1998) and Wilkinson et al. (1998).

A summary of the AMI observations and the 16 GHz source properties is given in Table 1.

5 DATA REDUCTION, MAPPING AND SOURCE FINDING

Initial data reduction was performed on the raw SA and LA data using the local software tool `REDUCE`, following the techniques outlined in AMI Consortium: Davies et al. (2009), to produce calibrated data in *uv* FITS format. In addition, the data quality was checked for systematic errors by using the two jackknife tests that are described in AMI Consortium: Shimwell et al. (2012). We found no significant problem at the location of any of the 15 hot XCS clusters in our SZ sample.

The reduced LA data were mapped in `AIPS`³ and `CLEANED` to three times the thermal noise with a single `CLEAN` box encompassing the primary beam. Images from individual LA pointings were then stitched together to form a raster image. Sources with flux densities greater than $4\sigma_{LA}$ were identified on the LA maps by the `SOURCEFIND` software package, which is described in AMI Consortium: Franzen et al. (2011). Unlike AMI Consortium: Franzen et al. (2011), we do not use the theoretical noise estimates and instead rely on `SOURCEFIND` to determine the noise across the map. This technique has the advantages of identifying noisy regions around bright sources and of being more sensitive to confusion noise; it thus provides a more accurate estimate of the noise at a particular point on the image. An example of the noise variation across an LA image is given in Fig. 2.

The reduced SA data were also mapped in `AIPS`. Images were `CLEANED` to three times the thermal noise with a single `CLEAN` box encompassing the primary beam. Using `SOURCEFIND`, the noise was determined across the SA maps; the noise on these maps typically varies by 10 per cent across the image but, in the regions of bright sources, the noise is higher.

We present, in Fig. 7, maps of our 15 targets with contours of signal:noise, of which each is simply a `CLEANED` image of SA brightness divided by its `SOURCEFIND` noise map.

6 SZ ANALYSIS

The Bayesian analysis described in Feroz et al. (2009) was used to model both galaxy clusters and radio sources. This applies the `MULTINEST` algorithm (Feroz & Hobson 2008 and Feroz, Hobson & Bridges 2008) to efficiently explore high-dimensional parameter spaces and calculate the Bayesian evidence. Here, we use this software to estimate parameter probability distributions that describe

² A ‘61+19 point raster’ observation consists of 61 pointings separated by 4 arcmin forming a hexagonal shape, of which the inner 19 pointings have lower noise levels. As a result, the area of interest in the vicinity of the cluster centroid is covered with deep observations and the shallower data on outer regions can be used to identify any relatively bright radio sources.

³ <http://www.aips.nrao.edu>

Table 2. A summary of the additional 17 clusters catalogued in the literature that we found within 15 arcmin of the 15 clusters in our SZ sample (see Section 2). Nine of these are low-temperature (<5 keV) XCS clusters. For three of these low-temperature XCS clusters there is no derived X-ray temperature. We have included the Piffaretti et al. (2011) position for XM J1332+5031 (Abell 1758A) because the XCS coordinates are affected by part of the X-ray cluster emission being beyond the edge of the XCS search area (see Fig. 7). The redshift and other parameters for the Abell (1958), Corwin (1974) cluster close to XM J0901+6006 are unknown. The Piffaretti et al. (2011) catalogue contains the r_{500} rest-frame luminosity (0.1–2.4 keV) rather than at r_{200} but contains no estimate of the cluster temperature. References 1–4 correspond to Piffaretti et al. (2011), Mehrrens et al. (2012), Abell (1958), Corwin (1974) and Koester et al. (2007), respectively.

Cluster Name	Right ascension	Declination	Redshift	Luminosity inside r_{200} (1×10^{37} W)	Temperature (keV)	Close to	Separation (arcmin)	Reference
NGC 0410	01:10:58.10	33:08:58.00	0.018	0.025 (r_{500})	–	XM J0110+3305	7.9	1
XM J0116+3257	01:16:24.20	32:57:17.10	0.45 (phot)	$0.45^{+0.39}_{-0.19}$	$1.4^{+0.3}_{-0.2}$	XM J0116+3303	6.4	2
XM J0831+5234	08:31:15.00	52:34:53.89	0.52 (phot)	–	–	XM J0830+5241	9.9	2
Zwicky 2094	09:02:26.40	60:16:12.00	–	–	–	XM J0901+6006	14.6	3
maxBCG								
141.2857+31.0615	09:25:08.57	31:03:41.47	0.205	–	–	XM J0925+3059	9.3	4
XM J0925+3054	09:25:44.40	30:54:31.89	0.41 (phot)	$0.61^{+0.42}_{-0.4}$	$1.3^{+0.3}_{-0.2}$	XM J0925+3059	4.4	2
XM J0926+3103	09:26:41.40	31:03:08.80	0.67 (phot)	–	–	XM J0925+3059	12.7	2
XM J0926+3101	09:26:50.70	31:01:27.30	0.49 (phot)	$0.71^{+0.12}_{-0.27}$	$3.5^{+1.9}_{-0.9}$	XM J0925+3059	14.1	2
XM J1226+3345	12:26:43.30	33:45:49.90	0.63 (phot)	–	–	XM J1226+3332	13.3	2
XM J1226+3343	12:26:56.40	33:43:29.40	0.50	$3.83^{+3.26}_{-2.15}$	$4.8^{+0.4}_{-0.3}$	XM J1226+3332	10.7	2
maxBCG								
186.7603+33.3155	12:27:02.48	33:18:55.92	0.257	–	–	XM J1226+3332	14.0	2
A1758B	13:32:30.20	50:24:32.00	0.280	10.99 (r_{500})	–	XM J1332+5031	8.3	1
A1758A	13:32:43.10	50:32:58.99	0.280	4.18 (r_{500})	–	XM J1332+5031	2.2	1
BVH2007 173	13:34:20.40	50:31:05.00	0.620	3.40 (r_{500})	–	XM J1332+5031	13.6	1
maxBCG								
215.6632+38.301	14:22:39.16	38:18:03.50	0.192	–	–	XM J1423+3828	11.3	4
XM J1437+3414	14:37:24.60	34:14:27.90	0.44 (phot)	$0.46^{+1.63}_{-0.31}$	$2.2^{+1.0}_{-0.6}$	XM J1437+3415	2.3	2
XM J1437+3408	14:37:43.20	34:08:07.80	0.49 (phot)	$2.23^{+1.06}_{-0.89}$	$4.2^{+2.8}_{-1.6}$	XM J1437+3415	9.3	2

Table 3. AMI summary.

	SA	LA
Antenna diameter	3.7 m	12.8 m
Number of antennas	10	8
Number of baselines	45	28
Baseline length	5–20 m	18–110 m
16-GHz power primary beam FWHM	19.6 arcmin	5.6 arcmin
Synthesized beam FWHM	≈3 arcsec	≈30 arcsec
Array flux-density sensitivity	30 mJy s ^{−1/2}	3 mJy s ^{−1/2}
Frequency range	13.5–18.0 GHz	
Bandwidth	4.5 GHz	
Number of channels	6	
Channel bandwidth	0.75 GHz	
Polarization measured	I + Q	

the clusters and sources, and we use the Bayesian evidence for model comparison.

Within the framework of our analysis we account statistically for the contamination from the primary CMB anisotropies, we use our prior knowledge from high-resolution LA observations to constrain contaminating radio sources, and we model the SZ signal with a parametrized cluster model. We parametrize the SZ signal using the model described in Olamaie, Hobson, & Grainge (2012), which assumes the following: (a) an NFW (Navarro, Frenk, & White 1997) profile to model the density of the dark matter halo as a function of radius, r ,

$$\rho_{\text{DR}}(r) = \frac{\rho_s}{\left(\frac{r}{R_s}\right) \left(1 + \frac{r}{R_s}\right)^2}, \quad (1)$$

where ρ_s is a normalization density and R_s is the scale radius; (b) the electron pressure as a function of radius is described by a gNFW (Nagai, Kravtsov & Vikhlinin 2007) profile,

$$P_{\text{e}(r)} = \frac{P_{\text{ei}}}{\left(\frac{r}{r_p}\right)^c \left(1 + \left(\frac{r}{r_p}\right)^a\right)^{(b-c)/a}}, \quad (2)$$

where P_{ei} is the normalized pressure, r_p is the scale radius, and a , b and c are 1.0620, 5.4807 and 0.3292, respectively, as stated by Arnaud et al. (2010); (c) hydrostatic equilibrium relates the total cluster mass internal to radius r , $M_{\text{SZ}}(r)$, to the gas pressure, $P_{\text{gas}}(r)$,

$$\frac{dP_{\text{gas}}(r)}{dr} = -\rho_{\text{gas}}(r) \frac{GM_{\text{SZ}}(r)}{r^2}, \quad (3)$$

where ρ_{gas} is the gas density; (d) the gas mass fraction f_g is small compared to unity ($\lesssim 0.15$).

Using the Olamaie et al. (2012) parametrization, we are able to fully describe the SZ signature of a cluster with the set Θ_c of parameters x_c , y_c , ϕ , η , $M_{\text{SZ}, 200}$, $f_{g, 200}$ and z . Here, x_c and y_c give the cluster position, ϕ is the orientation angle measured from N through E, η is the ratio of the lengths of the semiminor to semimajor axes, $M_{\text{SZ}, 200}$ is the SZ-derived cluster total mass within r_{200} , $f_{g, 200}$ is the average baryonic gas fraction within r_{200} and z is the cluster redshift. The parameter r_{200} is defined as the radius internal to which the mean total density is 200 times $\rho_{\text{crit}, z}$. The Olamaie et al. (2012) parametrization is not isothermal, instead it assumes that the cluster temperature profile can be described by the formalism that is presented in that paper and this allows us to extract the temperature T_Y at a given radius (an example of the temperature profile is given in Fig. 3). Alternatively, from $M_{\text{SZ}, Y}$, with the assumption that the cluster is virialized, isothermal,

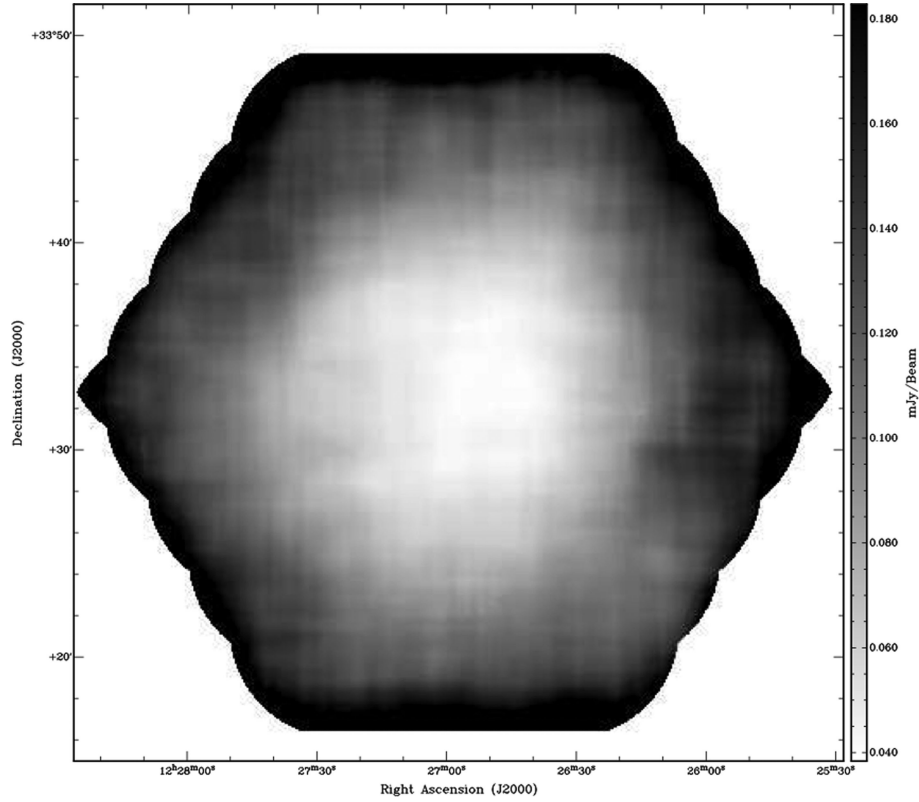


Figure 2. The noise distribution for the LA primary-beam-corrected 61+19 pt hexagonal grid of pointings centred on XM J1226+3332 as calculated by SOURCEFIND.

spherical and that all kinetic energy in it is plasma internal energy, we can derive the mean gas temperature, $T_{m,Y}$, within a specified radius Y :

$$K_B T_{m,Y} = \frac{G\mu M_{SZ,Y}}{2r_Y} = \frac{G\mu}{2 \left(\frac{3}{4\pi(Y\rho_{crit,z})} \right)^{1/3}} M_{SZ,Y}^{2/3}, \quad (4)$$

where μ is the mass per particle, $\mu \approx 0.6m_p$ and m_p is the proton mass.

We model radio sources using the parameters $\Psi = (x_s, y_s, S_0, \alpha)$, where x_s and y_s give the source position, S_0 is the flux-density and α is the spectral index.

For each cluster, we perform two analyses: (a) to quantify the significance of detection; and (b) to obtain cluster parameter probability distributions. In previous analyses of AMI data, it has not been necessary to separate analysis (a) from (b) and a single analysis has been used to both quantify the significance of detection and estimate parameters. However, unlike in all previous AMI analyses, here we use the X-ray-derived cluster mass estimate as a prior in our SZ analysis. This is problematic for quantifying the significance of detection, which we do with the Bayesian evidence ratio

$$R = \frac{Z_1}{Z_0}, \quad (5)$$

where Z_1 is the Bayesian evidence for a model with a cluster of mass $\geq 2 \times 10^{14} M_\odot$ which also includes radio sources and the statistics of the primary CMB anisotropies, while Z_0 is the Bayesian evidence for the same model but without the cluster component (Jeffreys 1961 provides an interpretive scale for the R value, as do revised scales such as Gordon & Trotta 2007). For some clusters in our SZ sample, the X-ray mass estimates (see Section 7) are centred at low mass ($< 2 \times 10^{14} M_\odot$) and the uncertainties can extend close

to zero. If we use these low X-ray mass estimates as priors then the evidence ratio cannot be used to quantify the significance of detection. To circumvent this issue, analysis (a) is performed with a log-uniform prior on the cluster mass to find R and analysis (b) is performed with a Gaussian prior on the cluster mass. If a cluster is not detected (i.e. $Z_0 > Z_1$ in analysis a), then we provide only the mass and temperature upper limits output from analysis (b). The priors used in our analyses are described further in Table 4.

Performing analysis (b) can cause difficulties for our Bayesian analysis if the XCS-derived mass is significantly discrepant from the SA data. For example, XM J0830+5241 has a well constrained but very low XCS mass estimate ($1.04 \pm 0.17 \times 10^{14} M_\odot$) and such a cluster would not produce a sufficiently strong SZ signal to be detectable by the SA. So, if we were to use the XCS mean mass with the corresponding error as a prior, our analysis will not correctly model the SZ signature that may be present in the data. To prevent this problem, we widen the priors and we use as the standard deviation on our Gaussian prior on cluster mass either the error from the XCS analysis or $2 \times 10^{14} M_\odot$, whichever is larger.

7 X-RAY MASS ESTIMATES

We use three approaches to estimate the mass from parameters presented in the XCS catalogue.

(1) Assuming that the cluster is spherically symmetric, we can use $\rho_{crit,z}$ and r_Y to determine the cluster X-ray-derived mass:

$$M_{X,Y} = \frac{4\pi}{3} Y r_Y^3 \rho_{crit,z}. \quad (6)$$

For two of the clusters in our SZ sample (XM J1050+5737 and XM J1115+5319), the XCS catalogue entries r_{200} and r_{500} are

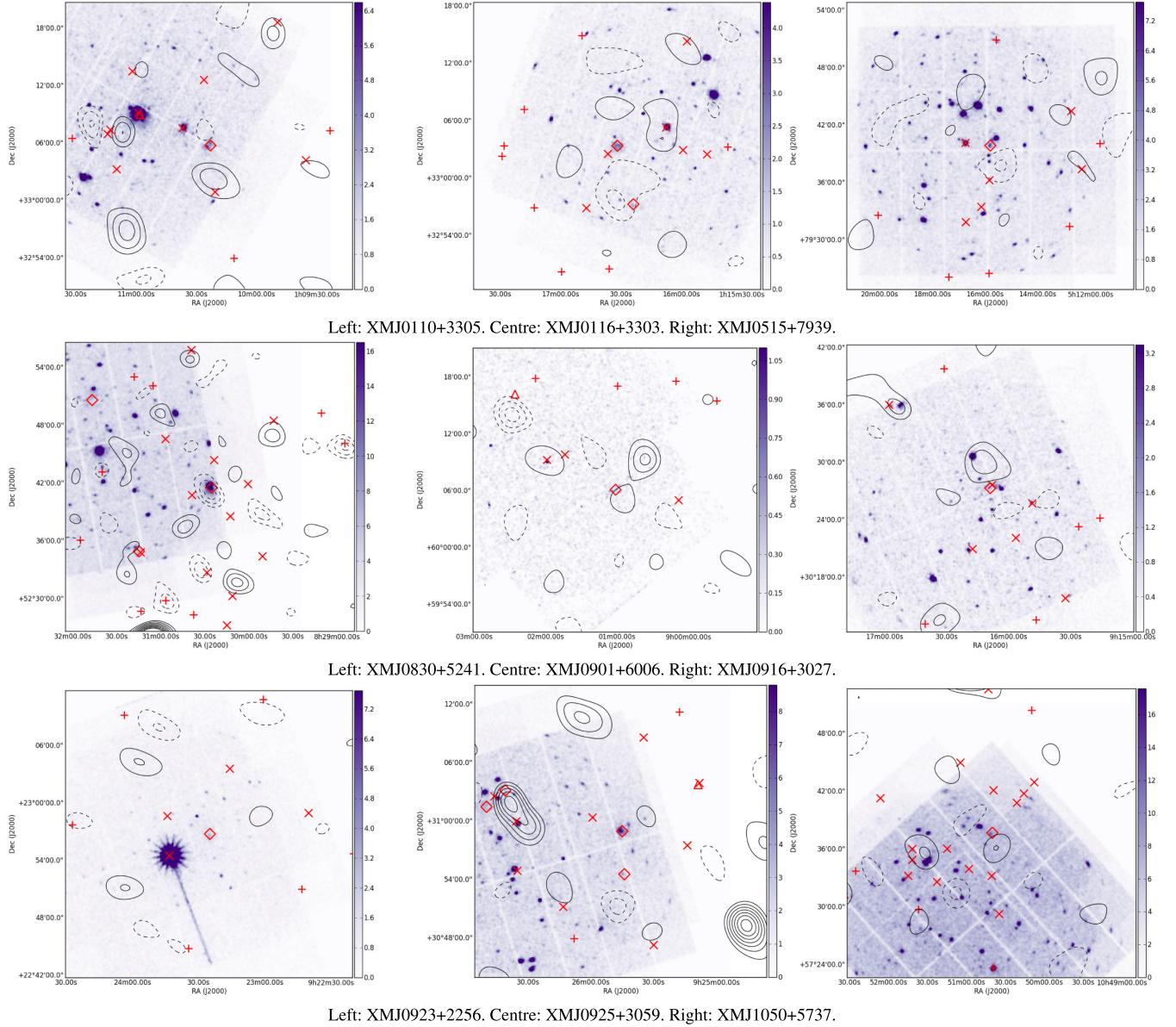


Figure 3. *XMM-Newton* EPIC images of the 15 XCS galaxy clusters in our SZ sample overlaid with contours showing to the SA signal to noise ratio (see Table 1 for the noise at the SA pointing centres). The X-ray images correspond to the observation IDs given in Mehrrens et al. (2012) and were taken from the *XMM-Newton* science archive. The colour bar shows the X-ray counts per pixel and the discontinuities in the X-ray images corresponds to the edge of the *XMM-Newton* detector. The SA contour levels are 2, 3, 4, 5, 6, 7, 8, 9 and 10 times the SA receiver noise level. Contours showing a positive SA signal to noise ratio are given by solid lines whilst dashed lines correspond to a negative signal to noise ratio. The ‘+’ symbols represent faint radio sources far from known clusters, the ‘x’ symbols are brighter sources or faint sources closer to clusters, the ‘◇’ symbols are XCS clusters (see Tables 1 and 2) and the ‘△’ symbols are other known clusters (see Table 2).

equal. For these clusters, we assume $r_{200} \approx 1.5r_{500}$ (which is typical for the clusters in our sample) and that the errors are a factor of 1.5 larger at r_{200} than at r_{500} .

(2) We use the Reichert et al. (2011) mass–temperature relation,

$$M_{R,500} = (0.24 \pm 0.03) T_X(\text{keV})^{1.76 \pm 0.08} 10^{14} M_\odot, \quad (7)$$

to obtain a mass estimate from the X-ray temperature.

(3) We use masses from mass–luminosity scaling relations; there are many such relations in the literature, see e.g., Mantz et al. (2010) and Rykoff et al. (2008) amongst others. For this paper, we make

use of the Pratt et al. (2009) and Zhang et al. (2011) relations. The Pratt et al. (2009) relation is given by

$$E(z)^{-7/3} L_{X,500} = C \left(\frac{M_{P,500}}{2 \times 10^{14} M_\odot} \right)^\alpha, \quad (8)$$

where $C = 1.45 \pm 0.12$, $\alpha = 1.90 \pm 0.11$, $E(z)$ is the Hubble parameter normalized to its present-day value⁴ and $M_{P,500}$ is the Pratt et al. (2009) estimated total mass within r_{500} . Zhang et al.

⁴ $E^2(z) = \Omega_m(1+z)^3 + \Omega_\Lambda$

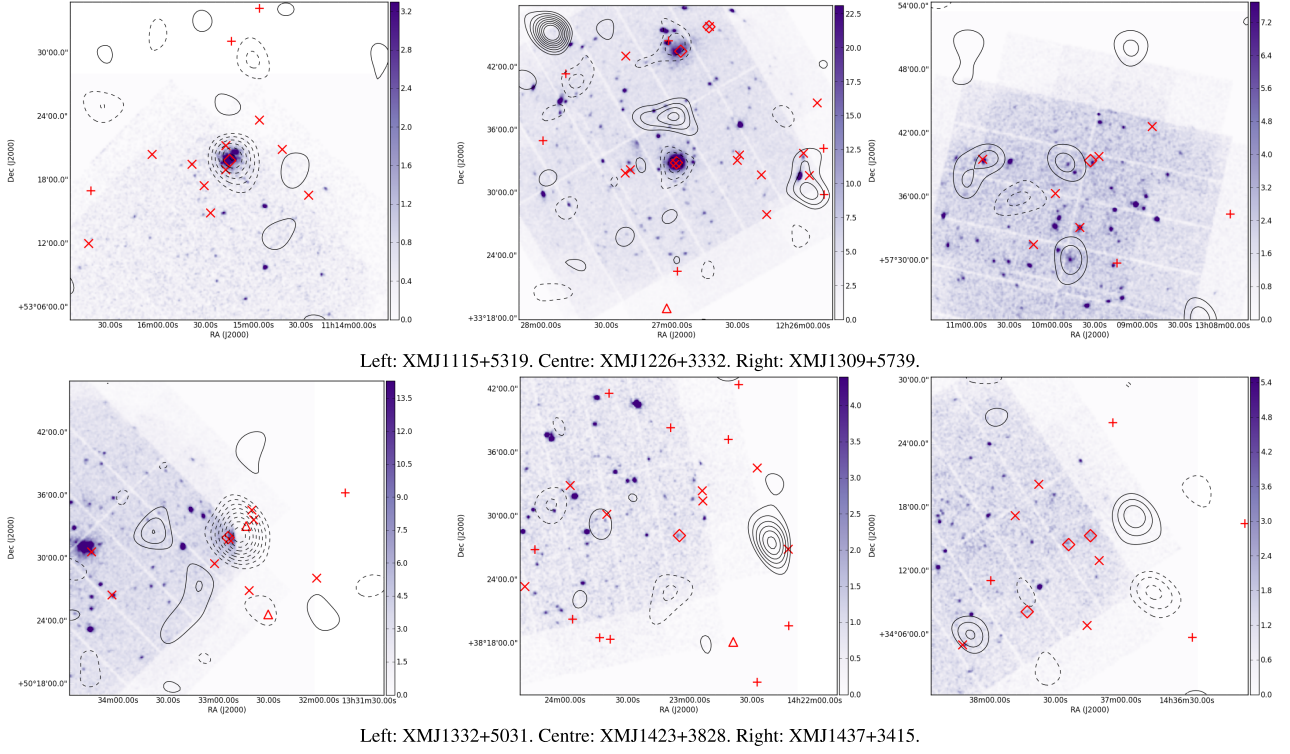


Figure 3 – continued

Table 4. Priors used in our Bayesian analyses. The symbols used to describe priors on positions, fluxes and spectral indexes correspond to the annotations in Fig. 7. For analysis (a), the detection analysis (see Section 6), the mass prior extends down to $1 \times 10^{14} M_{\odot}$ but the limiting cluster mass used for the evidence calculation (equation 5) is $2 \times 10^{14} M_{\odot}$.

Parameter	Prior
Cluster position (\mathbf{x}_c)	Gaussian prior on the X-ray position, $\sigma=60$ arcsec. \diamond XCS cluster (Tables 1 and 2). \triangle Other cluster (Table 2).
Orientation angle (ϕ)	Uniform between 0 and 180
Ratio of semiminor to semimajor axis (η)	Uniform between 0.5 and 1.0
Mass ($M_{SZ, 200} / M_{\odot}$)	Detection analysis: Uniform in log space over $(1.0-60.0) \times 10^{14}$. Parameter analysis: Gaussian centred on the X-ray mean with a standard deviation equal to the largest uncertainty in the asymmetric X-ray errors (Table 5) or $2 \times 10^{14} M_{\odot}$, whichever is greater.
Redshift (z)	Delta-function on the value in Table 1.
Gas fraction ($f_g, 200$)	Gaussian prior centred on 0.1, $\sigma=0.02$.
Source position (\mathbf{x}_s)	$+$: Delta-function using the LA positions. \times : Gaussian centred on the LA positions with $\sigma=5$ arcsec.
Source flux densities (S_0/Jy)	$+$: Delta-function on the LA value.
Source spectral index (α)	\times : Gaussian centred on the LA continuum value with a σ of $0.4S_0$. $+$: Delta-function on the LA value. \times : Gaussian centred on the value calculated from the LA channel maps with σ as the LA error.

(2011) relates L_X to the gas mass within r_{500} , $M_{Zg, 500}$, by

$$\log_{10} \left(\frac{L_{X, 500}}{E(z) 10^{-7} W} \right) = A + B \log_{10} \left(\frac{M_{Zg, 500} E(z)}{10^{14} M_{\odot}} \right), \quad (9)$$

where $A = 45.06 \pm 0.68$ and $B = 1.29 \pm 0.05$. Zhang et al. (2011) convert their estimated gas mass to total mass, $M_{Z, 500}$, via $E(z)^{1.5} \ln(M_{Zg, 500}/M_{Z, 500}) = -2.37 + 0.21 \ln(M_{Z, 500}/2 \times 10^{14} M_{\odot})$. Mass estimates obtained from the above relationships are presented in Table 5 and Fig. 4. For the XCS clusters, we find that the mass–luminosity scaling relationships (Pratt et al. 2009 and Zhang et al.

2011) tend to predict a smaller mass than the mass–temperature scaling relationship (Reichert et al. 2011).

8 RESULTS

8.1 SZ measurements

In Fig. 3, we present the source-subtracted SA signal divided by noise maps with a 0.6 k λ uv -taper for all clusters except the high-redshift clusters XM J0830+5241 and XM J1226+3332 [$z = 0.99$ (X-ray) and $z = 0.89$ (phot), respectively] which are presented

Table 5. Cluster masses for clusters in our SZ sample derived from the relations given in Section 7. For two of the clusters in our SZ sample (XM J1050+5737 and XM J1115+5319), the luminosity errors are not provided in the XCS catalogue and the XCS catalogue the entries r_{200} and r_{500} are equal; for these clusters, we assume $r_{200} \approx 1.5r_{500}$ and that the errors also increase by a factor of 1.5. These cluster masses are plotted in Fig. 4. On average, we find that $M_{Z,500}/M_{X,500} = 0.78$, $M_{P,500}/M_{X,500} = 1.40$ and $M_{R,500}/M_{X,500} = 4.04$.

Cluster name	$M_{X,200}$ $10 \times 10^{14} M_{\odot}$	$M_{X,500}$ $10 \times 10^{14} M_{\odot}$	$M_{Z,500}$ $10 \times 10^{14} M_{\odot}$	$M_{P,500}$ $10 \times 10^{14} M_{\odot}$	$M_{R,500}$ $10 \times 10^{14} M_{\odot}$
XM J0110+3305	$1.77^{+0.77}_{-0.55}$	$1.27^{+0.54}_{-0.39}$	$0.86^{+2.74}_{-0.62}$	$1.86^{+0.40}_{-0.24}$	$4.30^{+1.25}_{-1.03}$
XM J0116+3303	$1.85^{+1.14}_{-0.57}$	$1.32^{+0.82}_{-0.41}$	$0.89^{+2.51}_{-0.64}$	$1.98^{+0.28}_{-0.25}$	$4.89^{+1.47}_{-1.19}$
XM J0515+7939	$2.94^{+1.77}_{-1.02}$	$2.1^{+1.27}_{-0.72}$	$0.63^{+1.63}_{-0.44}$	$1.47^{+0.14}_{-0.12}$	$7.43^{+2.41}_{-1.91}$
XM J0830+5241	$1.04^{+0.17}_{-0.17}$	$0.74^{+0.13}_{-0.12}$	$0.97^{+2.58}_{-0.78}$	$2.74^{+0.31}_{-0.84}$	$6.02^{+1.87}_{-1.51}$
XM J0901+6006	$4.26^{+4.19}_{-1.55}$	$3.05^{+2.99}_{-1.12}$	$4.32^{+13.1}_{-3.13}$	$4.82^{+1.01}_{-0.75}$	$5.37^{+1.63}_{-1.33}$
XM J0916+3027	$2.1^{+1.53}_{-0.8}$	$1.5^{+1.1}_{-0.57}$	$0.65^{+1.71}_{-0.47}$	$1.48^{+0.15}_{-0.18}$	$5.05^{+1.52}_{-1.23}$
XM J0923+2256	$9.75^{+14.6}_{-5.13}$	$7.0^{+10.53}_{-3.68}$	$1.37^{+4.43}_{-1.05}$	$1.73^{+0.41}_{-0.39}$	$10.2^{+3.5}_{-2.73}$
XM J0925+3058	$2.57^{+1.23}_{-0.71}$	$1.84^{+0.88}_{-0.5}$	$1.16^{+3.19}_{-0.82}$	$2.15^{+0.3}_{-0.24}$	$5.21^{+1.57}_{-1.28}$
XM J1050+5737	$0.86^{+0.82}_{-0.38}$	$0.64^{+0.6}_{-0.28}$	$0.29^{+0.63}_{-0.19}$	0.87	$9.58^{+3.24}_{-2.55}$
XM J1115+5319	$2.49^{+1.34}_{-0.70}$	$1.85^{+0.99}_{-0.52}$	$4.65^{+12.0}_{-3.22}$	$6.04^{+0.7}_{-0.54}$	$4.59^{+1.35}_{-1.11}$
XM J1226+3332	$3.42^{+0.28}_{-0.26}$	$2.45^{+0.2}_{-0.19}$	$3.39^{+9.2}_{-2.38}$	$6.54^{+0.9}_{-0.7}$	$16.32^{+6.06}_{-4.63}$
XM J1309+5739	$8.23^{+14.2}_{-5.09}$	$5.89^{+10.2}_{-3.64}$	$0.65^{+4.31}_{-0.61}$	$0.97^{+0.80}_{-0.66}$	$8.97^{+3.0}_{-2.37}$
XM J1332+5031	$6.88^{+0.52}_{-0.53}$	$4.93^{+0.37}_{-0.37}$	$4.65^{+12.1}_{-3.48}$	$5.06^{+0.61}_{-1.06}$	$8.57^{+2.85}_{-2.25}$
XM J1423+3828	$3.64^{+6.98}_{-2.24}$	$2.61^{+5.0}_{-1.61}$	$0.84^{+2.81}_{-0.71}$	$1.53^{+0.39}_{-0.66}$	$6.19^{+1.94}_{-1.55}$
XM J1437+3415	$4.95^{+7.9}_{-2.63}$	$3.55^{+5.66}_{-1.89}$	$1.16^{+8.13}_{-1.02}$	$2.14^{+1.95}_{-1.08}$	$9.99^{+3.41}_{-2.67}$

with no uv -taper. In the Bayesian analysis of the SA data, we modelled: high flux density sources ($S_0 \geq 4\sigma_{SA}$); sources within 5 arcmin of the hot XCS clusters; and sources within 5 arcmin of other known clusters from Table 2. Faint sources ($S_0 \leq 4\sigma_{SA}$) further than 5 arcmin from a cluster and sources outside the 10 per cent point of the SA power primary beam were not modelled. The subtraction of modelled sources uses the source flux, spectral index and position obtained from our Bayesian analysis. For sources that are not modelled, we subtracted the LA-measured values. Our SA images of XM J0925+3059 and XM J1226+3332 each contain a $>4\sigma$ source that has not been subtracted as it is outside the region covered by the LA observations. Nevertheless, the effects of these two unsubtracted sources are negligible in the regions of the known clusters.

Out of the 15 clusters comprising our SZ sample, we detect three clusters – XM J1115+5319, XM J1332+5031 and XM J0830+541 – at high significance: $\log \frac{Z_1}{Z_0} \geq 5$, i.e. a model with a cluster is $\geq e^5$ more likely than one without. We also probably detect two other clusters – XM J0923+2256 and XM J1226+3332 – at lower significance ($5 \geq \log \frac{Z_1}{Z_0} \geq 0$). The remaining 10 clusters in our SZ sample were not detected by AMI.

We note that XM J0830+5241 (2XMM J083026.2+524133; Culverhouse et al. 2010 and AMI Consortium: Schammel et al. 2013); XM J1332+5031 (Abell 1758A; see e.g., AMI Consortium: Rodríguez-González et al. 2012) and XM J1226+3332 (CL J1226.9+3332; see e.g., Korngut et al. 2011 and Muchovej et al. 2007) have previously been observed in SZ. In the literature, we have not found attempts of SZ observations towards the other XCS clusters studied in this paper. The evidence ratios for all 15 XCS clusters and the derived cluster mass (for detected clusters) or upper limit on the cluster mass (for undetected clusters) are given in Table 6 and plotted against the XCS mass estimates in Fig. 5. Similarly, Fig. 6 shows a comparison of the XCS- and SA-derived temperatures.

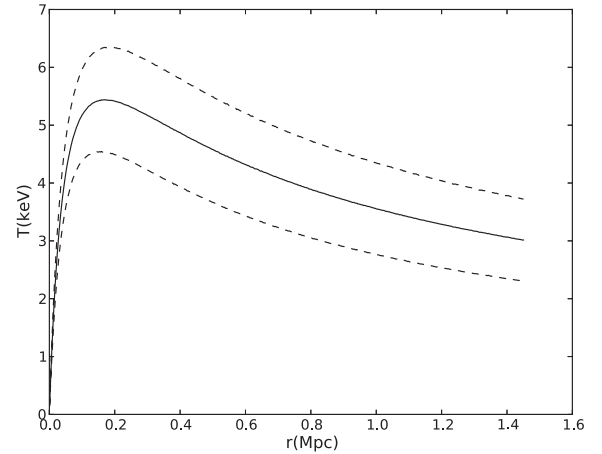


Figure 4. An example of a cluster temperature profile used in our analysis. This profile was obtained using our data for XM J1115+5319 with the assumption that the cluster density, pressure and temperature profiles can be described by the parametrization of the Olamaie et al. (2012) model. The solid line shows our estimated temperature as a function of radius for XM J1115+5319 and the dashed lines show similar profiles that correspond to the upper and lower 68 per cent confidence limits of the parameter estimations for this cluster.

In the following subsections, we describe each of the clusters in our SZ sample. Unless otherwise specified, the cluster was discovered in the XCS and is not known to be present in any other cluster catalogue in the literature.

8.1.1 SZ non-detections

XM J0110+3305. We detect no SZ decrement towards this cluster although a 2σ negative feature lies at the pointing centre. Neither

Table 6. Log-evidence ratios from the analysis with a log-uniform mass prior for the 15 hot XCS clusters in our SZ sample, together with the derived mass parameters from runs with Gaussian mass priors. Three clusters – XM J1115+5319, XM J1332+5031 and XM J0830+541 – are detected at high significance ($\log \frac{Z_1}{Z_0} \geq 5$) and a further two clusters – XM J0923+2256 and XM J1226+3332 – are detected at lower significance ($5 \geq \log \frac{Z_1}{Z_0} \geq 0$). For these five detected clusters, we present the AMI-derived total cluster mass estimates within r_{200} and r_{500} , the mean temperature within r_{200} ($T_{m,200}$; equation 4), and the cluster temperature T_{200} at r_{200} (an example temperature profile is shown in Fig. 3). For undetected clusters, we present an upper limit on the mass. The errors and the upper limits correspond to 68 per cent confidence limits.

Cluster name	Log evidence ratio $\log(\frac{Z_1}{Z_0})$	$M_{SZ,200}$ ($\times 10^{14} M_\odot$)	$M_{SZ,500}$ ($\times 10^{14} M_\odot$)	T_{200} (keV)	$T_{m,200}$ (keV)
XM J0110+3305	– 1.50	<3.3	–	–	–
XM J0116+3303	– 3.14	<3.1	–	–	–
XM J0515+7939	– 5.09	<4.4	–	–	–
XM J0830+5241	5.08	$4.7^{+1.0}_{-1.0}$	$3.5^{+0.8}_{-0.7}$	$3.1^{+0.5}_{-0.5}$	$5.7^{+0.8}_{-0.8}$
XM J0901+6006	– 1.61	<2.8	–	–	–
XM J0916+3027	– 0.79	<3.5	–	–	–
XM J0923+2256	1.21	$4.3^{+1.5}_{-1.5}$	$3.2^{+1.1}_{-1.1}$	$2.1^{+0.5}_{-0.5}$	$3.9^{+0.9}_{-1.0}$
XM J0925+3059	– 4.34	<2.9	–	–	–
XM J1050+5737	– 1.58	<1.5	–	–	–
XM J1115+5319	7.50	$5.9^{+1.4}_{-1.4}$	$4.3^{+1.0}_{-1.0}$	$3.0^{+0.5}_{-0.5}$	$5.4^{+0.8}_{-0.9}$
XM J1226+3332	4.20	$5.2^{+0.9}_{-0.9}$	$3.8^{+0.7}_{-0.7}$	$3.2^{+0.4}_{-0.4}$	$5.8^{+0.7}_{-0.7}$
XM J1309+5739	– 1.68	<2.0	–	–	–
XM J1332+5031	6.77	$8.5^{+1.2}_{-1.1}$	$6.3^{+0.9}_{-0.8}$	$3.5^{+0.3}_{-0.3}$	$6.4^{+0.6}_{-0.7}$
XM J1423+3828	– 1.46	<2.3	–	–	–
XM J1437+3415	– 0.42	<4.1	–	–	–

our data quality nor analysis is hindered by bright sources in the region of the cluster. The highest flux-density source close to the cluster has a flux density of 2.6 mJy and lies ≈ 5 arcmin to the south of the cluster. After the subtraction of this source, there is a 2σ positive feature which is unlikely to affect our null detection.

The XCS-derived mass, $M_{X,200}$, for this cluster is low ($1.8^{+0.8}_{-0.6} \times 10^{14} M_\odot$). But the X-ray luminosity appears to be typical for a cluster of this mass and estimates of the mass from the mass–luminosity scaling relationships, $M_{P,500}$ and $M_{Z,500}$, are in reasonable agreement with $M_{X,500}$. However, the XCS temperature estimate is higher than expected for a cluster with a mass $< 2 \times 10^{14} M_\odot$ and as a consequence the mass estimated from the Reichert et al. (2011) mass–temperature scaling relationship, $M_{R,500}$, is higher ($4.3^{+1.3}_{-1.0} \times 10^{14} M_\odot$). From our SZ data, we derive a higher upper limit of $3.3 \times 10^{14} M_\odot$. The mass estimates suggest that the cluster could be hot for its mass but the uncertainties are large.

The cluster NGC 0410 lies 7.9 arcmin to the east of XM J0110+3305. We see no decrement at the position of NGC 0410 but it has a low mass ($0.21 \times 10^{14} M_\odot$; Piffaretti et al. 2011), lies at 64 per cent of the SA power primary beam in our observation, is coincident with a radio source with an LA-measured flux-density of 1.5 mJy and it will be affected by the brighter 4.2 and 5.1 mJy sources ≈ 4 arcmin south-east (after subtraction these sources leave 3σ residuals on our SA image.)

XM J0116+3303. Our LA observations show a point source of flux density 0.48 mJy close to the cluster position but given the faintness of this source and the slight separation it is unlikely to be the cause of a null SZ detection.

The XCS-derived $M_{X,200}$ and the masses derived from the XCS luminosity ($M_{Z,200}$ and $M_{P,200}$) are below $2 \times 10^{14} M_\odot$. However, the mass derived from the XCS temperature ($M_{R,200}$) is significantly higher ($4.9^{+1.5}_{-1.2} \times 10^{14} M_\odot$). From the SA SZ data, the upper limit

on the cluster mass is $3.1 \times 10^{14} M_\odot$. Although the uncertainties are large these mass estimates again suggest that the cluster may be hotter than expected.

5 arcmin south of the pointing centre we observe an extended $2\text{--}3\sigma$ negative feature in source-subtracted tapered SA map with a peak flux density of -0.66 mJy. The position of the decrement matches that of XM J0116+3257, a low-temperature XCS cluster separated from XM J0116+3303 by 6.4 arcmin which corresponds to 75 per cent of the SA power primary beam (see Table 2). We expect XM J0116+3257 not to be a massive object, its $M_{X,200}$ is $0.28 \times 10^{14} M_\odot$ and from the cluster scaling relationships we predict $M_{500} < 1.5 \times 10^{14} M_\odot$. Further observations would be required to assess whether this extended decrement is caused by XM J0116+3257 or is simply a noise fluctuation.

XM J0515+7939. The LA flux density measurement of the source ≈ 3 arcmin east of XM J0515+7939 is 3.4 mJy and the source ≈ 4 arcmin south is measured to be 0.45 mJy. These sources are not bright enough and are sufficiently separated from the XCS cluster position as to not significantly hinder an SZ detection.

We do measure a 3σ decrement slightly south (separated by 3 arcmin) of the XCS position but our Bayesian evidences favour a model without a cluster. Due to the weak decrement we derive a high upper limit of $M_{SZ,200} < 4.4 \times 10^{14} M_\odot$ from our SZ analysis and this is greater than the XCS-derived mass estimates ($M_{X,200} = 2.9^{+1.8}_{-1.0} \times 10^{14} M_\odot$ and $M_{X,500} = 2.1^{+1.2}_{-0.7} \times 10^{14} M_\odot$). From the mass–luminosity scaling relations we derive a lower mass estimate than XCS ($0.6\text{--}1.5 \times 10^{14} M_\odot$), yet the mass–temperature scaling yields a high mass ($7.4^{+2.4}_{-1.9} \times 10^{14} M_\odot$). The mass derived from the X-ray temperature is greater than the SZ detection limit and inconsistent with $M_{X,500}$, apparently suggesting that this cluster is unusually hot for its mass.

XM J0901+6006. This cluster was first discovered in the maxBCG survey (MaxBCG J135.25325+60.10133; Koester et al.

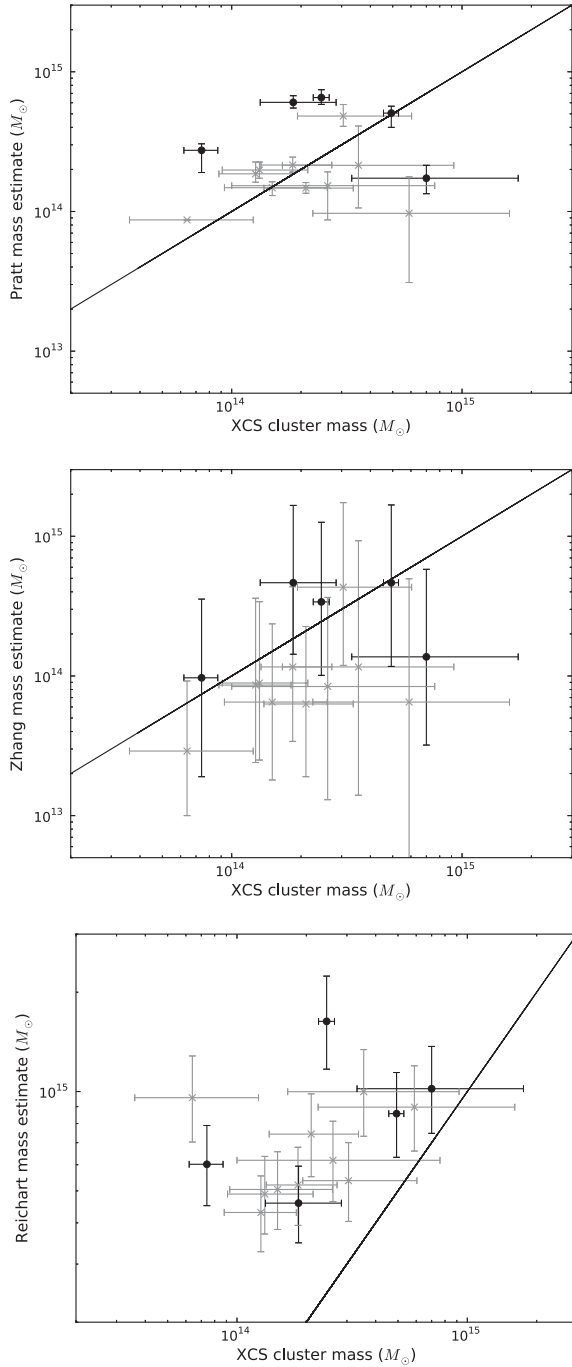


Figure 5. Cluster masses derived from the relations given in Section 7; as detailed in Table 5. The scaling relations used to estimate the cluster mass are Pratt et al. 2009 (top), Zhang et al. 2011 (middle) and Reichert et al. 2011 (bottom). A straight line indicates equality between the scaling-relation-derived cluster mass and the XCS cluster mass. Clusters that are detected by AMI are represented with black circles and clusters that are undetected by AMI are represented by ‘x’ symbols.

2007). The ‘corrected’ N_{200} value (Rykoff et al. 2012)⁵ is 41.1 ± 3.4 , where N_{200} represents the number of red sequence galaxies observed to be in the cluster that are above a limiting brightness

⁵ Corrected N_{200} values can be downloaded from the official site <http://risa.stanford.edu/maxbcg/>.

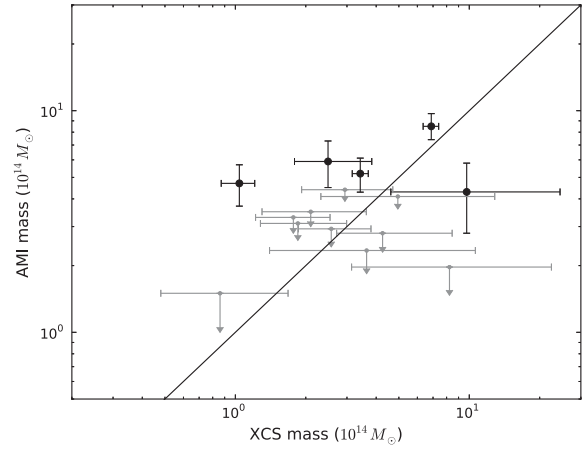


Figure 6. AMI- and XCS-derived cluster masses. We present AMI masses for the 5 clusters we detect (black circles) and for the other 10 XCS clusters (grey dots) in our SZ sample we present AMI upper limits on the cluster mass. The AMI masses are derived from a Bayesian analysis using the XCS mass estimates as priors.

and within r_{200} . The Rozo et al. (2009) mass–richness scaling relationship which relates the richness at r_{200} to the mass at that radius is

$$\frac{M_{N,200}}{10^{14} M_{\odot}} = e^{B_{M|N}} \left(\frac{N_{200}}{40} \right)^{\alpha_{M|N}}, \quad (10)$$

where the constants $B_{M|N}$ and $\alpha_{M|N}$ are 0.95 and 1.06, respectively. Using equation (10) and the ‘corrected’ richness for this cluster we estimate that $M_{N,200} = 2.66 \pm 0.24 \times 10^{14} M_{\odot}$.

The cluster richness-derived mass is below our SZ upper limit ($2.8 \times 10^{14} M_{\odot}$) but all other mass estimates exceed this limit. The XCS mass, the mass–luminosity-derived mass, and the mass–temperature-derived mass consistently indicate that this is a massive cluster ($M_{200} > 4.2 \times 10^{14} M_{\odot}$). Our null SZ detection is surprising and suggests that the X-ray-derived mass estimates are high.

In our SA data, we find a 2σ positive feature close to the pointing centre and a 4σ positive feature only ≈ 4 arcmin from the pointing centre. In our LA data where we do not detect any sources close to the cluster above the $4\sigma_{LA}$ threshold nor are there any corresponding sources in the NVSS catalogue. There is a 3.2σ feature on the LA image close to the pointing centre; the location of this faint positive feature corresponds to the 2σ peak on the SA map. The flux of this positive feature is below the LA detection threshold and therefore it was not included in our model but if we were to subtract this LA-measured flux from our SA image we would obtain only a very weak (< 0.25 mJy) decrement.

Zwicky 2094 is separated from XM J0901+6006 by ≈ 15 arcmin, a separation corresponding to the 21 per cent level of the SA power primary beam. At the position of this cluster (to the north-east of our map) we observe a 4σ decrement. Given that this lies so far down the primary beam, further observations are required to determine if this is an SZ decrement.

XM J0916+3027. The XCS-derived angular extent of this cluster is small ($r_{200} = 0.989$ Mpc at $z = 0.59$ corresponds to 2.5 arcmin), and in the SA data the cluster will be unresolved. With the AMI spectral coverage, separating the cluster signal from the coincident 2.1 mJy source is difficult. In Fig. 8, we demonstrate that the flux density of this source (S_0) is degenerate with the cluster mass but sources further away (e.g. S_1 which is separated 4.7 arcmin) do not show this degeneracy. From our Bayesian analysis, we derive an

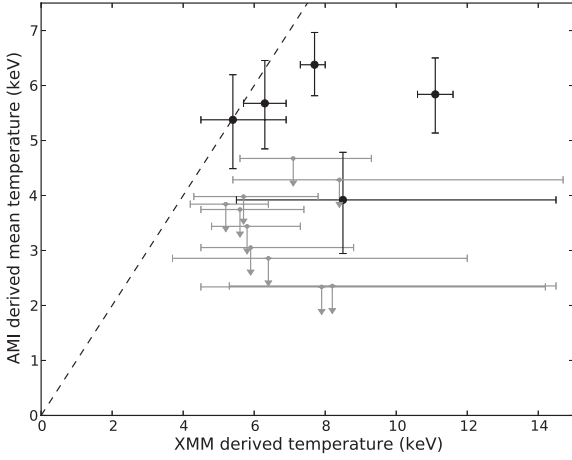


Figure 7. AMI and XCS derived temperatures. The AMI temperature is derived from equation (4) and represents the mean temperature within r_{200} . The XCS temperature is derived from the X-ray spectra.

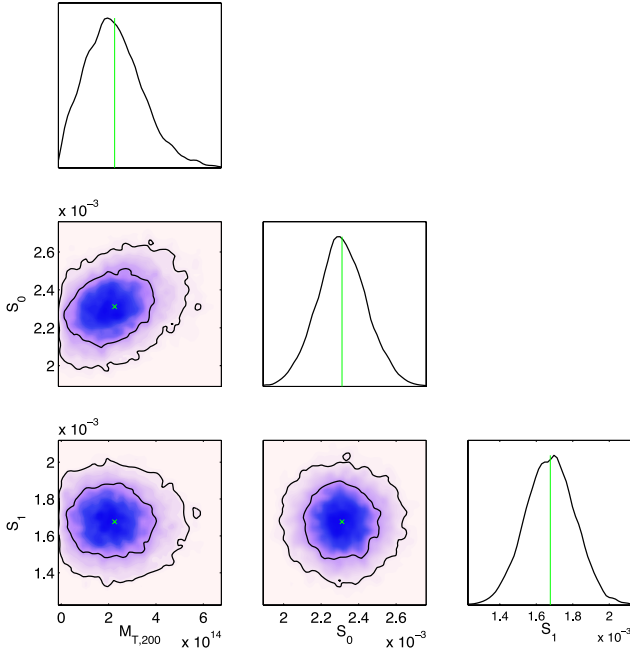


Figure 8. The mass of XM J0916+3027 and the derived flux densities for sources within 300 arcsec of the cluster centre. S_0 and S_1 lie 14 and 280 arcsec from the cluster centre, respectively. The green lines show the mean derived parameter value.

SA mean flux of 2.3 mJy for the source coincident with the cluster, which is similar to that found in the LA data where the SZ signal is mostly resolved out.

Our upper limit on the cluster mass ($3.5 \times 10^{14} M_{\odot}$) exceeds both the XCS value ($M_{X,200} = 2.1_{-0.8}^{+1.5} \times 10^{14} M_{\odot}$) and the values obtained from the mass–luminosity scaling relations ($0.65\text{--}1.5 \times 10^{14} M_{\odot}$). The mass derived from the mass–temperature scaling relation is high ($5_{-1.2}^{+1.5} \times 10^{14} M_{\odot}$), apparently indicating that the cluster is hot for its mass.

XM J0925+3058. Close to XM J0925+3058 there are four known clusters: XM J0925+3054 (4 arcmin away), maxBCG 141.2857+31.0615 (9 arcmin away), XM J0926+3103 (13 arcmin away) and XM J0926+3101 (14 arcmin away). XM J0926+3103

and XM J0926+3101 are ≈ 1 arcmin from a source with an LA-measured flux density of 18.8 mJy and are unlikely to be detectable even if they were not at ≈ 25 per cent of the SA power primary beam. MaxBCG 141.2857+31.0615 is at 54 per cent of the SA power primary beam but is not a massive cluster, with an N_{200} of 17.2 ± 1.8 from which the estimated mass is $M_{N,200} = 1.06 \pm 0.11 \times 10^{14} M_{\odot}$ (equation 10). At the location of this cluster we see no decrement in our map. XM J0925+3054 is at 86 per cent of the SA power primary beam and for this XCS cluster $M_{X,200} = 0.25_{-0.08}^{+0.09} \times 10^{14} M_{\odot}$. We observe no SZ decrement towards XM J0925+3054 in agreement with XCS that this is not a massive cluster.

For XM J0925+3058, the XCS mass estimates are $M_{X,200} = 2.6_{-0.7}^{+1.2} \times 10^{14} M_{\odot}$ and $M_{X,500} = 1.8_{-0.5}^{+0.9} \times 10^{14} M_{\odot}$. $M_{X,500}$ is in reasonable agreement with masses derived from mass–luminosity scaling relations ($1.2\text{--}2.2 \times 10^{14} M_{\odot}$). The mass–temperature scaling relation predicts a more massive cluster ($5.2 \times 10^{14} M_{\odot}$) but our SZ upper limit, derived from data with very little source contamination, is $M_{200} < 2.9 \times 10^{14} M_{\odot}$. Our limit combined with the other estimates suggests that the mass–temperature scaling relationship-derived mass is high and this implies that the temperature of the cluster is hotter than expected for a cluster of this mass.

XM J1050+5737. This cluster is the second least luminous in our SZ sample yet XCS derived its temperature, at $8.2_{-2.9}^{+6.3}$ keV, is relatively high. The XCS-derived masses are low ($M_{X,200} = 0.9_{-0.3}^{+0.8} \times 10^{14} M_{\odot}$ and $M_{X,500} = 0.6_{-0.3}^{+0.6} \times 10^{14} M_{\odot}$) as are the masses derived from the X-ray luminosity ($0.29\text{--}0.87 \times 10^{14} M_{\odot}$) but the mass derived from the temperature is high ($9.6_{-2.6}^{+3.2} \times 10^{14} M_{\odot}$). The SZ upper limit ($M_{SZ,200} < 1.5 \times 10^{14} M_{\odot}$), the mass–luminosity-derived masses, and the XCS masses all suggest that the mass–temperature-derived mass is very high, apparently suggesting that this cluster has a very hot core given its mass.

We find a 3σ positive feature at the pointing centre. There are no sources close to the cluster that are bright enough to contaminate the decrement but it is possible that undetected sources lie below our LA threshold. We find a 3σ positive feature at the centre of the LA image which is below our detection threshold, but may be responsible for the observed positive feature at the centre of the SA image. Even if the LA flux of this low significance feature was subtracted from the SA data, we would observe no SZ decrement at the SA pointing centre.

XM J1309+5739. This hot ($7.9_{-3.4}^{+6.3}$ keV), XCS-derived, low-redshift cluster is the least luminous in the SZ sample. The cluster is also known as NSC J130931+574023 and was discovered in the Northern Sky Optical Cluster Survey (Gal et al. 2003). The cluster richness is 33.6 which has a corresponding $M_{N,200} = 2.1 \times 10^{14} M_{\odot}$ (equation 10). The XCS-derived masses of $M_{X,200} = 8.2_{-5.1}^{+14.2} \times 10^{14} M_{\odot}$ and $M_{X,500} = 5.9_{-3.6}^{+10.2} \times 10^{14} M_{\odot}$ are higher than the mass derived from the optical richness but due to a low X-ray count the errors of the XCS parameters are very large. Given the low luminosity but high temperature of this cluster, the mass–temperature scaling relation predicts a high mass ($9.0_{-2.4}^{+3.0} \times 10^{14} M_{\odot}$) in agreement with the XCS value, but the mass–luminosity scaling relations predict very low masses ($0.65\text{--}1.0 \times 10^{14} M_{\odot}$). The upper limit on mass from our SZ observations is $M_{SZ,200} < 2.0 \times 10^{14} M_{\odot}$, which suggests that both the XCS and the mass–temperature scaling relation mass estimates are high.

At the pointing centre there is a 2.91 mJy source but due to the extension of the cluster (the XCS-derived r_{200} of 1.81 Mpc corresponds to an angular size of 9.1 arcmin) the degeneracy between the cluster mass and the source flux is not large. Rather than source flux-density contamination, there is a concern that we resolve out some of the signal from the cluster as the SA is optimized for smaller

angular scale clusters. The natural resolution of the SA is 3 arcmin and with this resolution the SZ signal will be very extended compared to the beam, hence the total cluster mass within a beam is much smaller than the total cluster mass. Only the shortest SA baselines (<6.7 m) have a resolution >9 arcmin and only these baselines will capture all the mass within r_{200} in a single beam.

XM J1423+3828. With the lowest X-ray counts, this cluster is the least significant X-ray detection in our sample. As a consequence the errors in the XCS mass estimates are large: $M_{X,200} = 3.6^{+7.0}_{-2.2} \times 10^{14} M_{\odot}$ and $M_{X,500} = 2.6^{+5.0}_{-1.6} \times 10^{14} M_{\odot}$. The mass–luminosity scaling relations favour a lower mass cluster (0.8 – $1.6 \times 10^{14} M_{\odot}$), but the mass–temperature relation favours a cluster of mass $6.2^{+1.9}_{-1.6} \times 10^{14} M_{\odot}$. From our analysis, we derive $M_{SZ,200} < 2.3 \times 10^{14} M_{\odot}$ thus favouring a lower mass than obtained from the XCS or the mass–temperature relationship.

Our observations are not limited by point source contamination. There is a point source with an LA-measured flux of 18 mJy ≈ 10 arcmin from the cluster position, the source lies ≈ 50 per cent of the way down the SA power primary beam and its apparent flux on the SA map is 8.6 mJy. After subtraction the source leaves a 7σ positive residual but separated far enough from the cluster location to avoid contamination.

MaxBCG 215.6632+38.301 is 11.3 arcmin south-west of XM J1423+3828. The ‘corrected’ richness for this cluster is 20.0 ± 2.2 and from this we estimate that $M_{N,200} = 1.24 \pm 0.15 \times 10^{14} M_{\odot}$. Given that this cluster lies at 40 per cent of the SA power primary beam and has a low mass, we would not expect a detection.

XM J1437+3415. The XCS mass estimates ($M_{X,200} = 5.0^{+7.9}_{-2.6} \times 10^{14} M_{\odot}$ and $M_{X,500} = 3.6^{+5.7}_{-1.9} \times 10^{14} M_{\odot}$) are high but, due to few X-ray counts, the errors are large. The mass derived from the mass–temperature scaling relation suggests that the cluster mass could be as high as $1.0^{+0.3}_{-0.3} \times 10^{15} M_{\odot}$. The mass–luminosity estimates are much smaller (1.2 – $2.2 \times 10^{14} M_{\odot}$) and these coupled with our SZ upper limit ($4.1 \times 10^{14} M_{\odot}$) indicate that the cluster is less massive than the mass–temperature estimate.

There is no obvious contamination from point sources as the closest source is 4 arcmin south of the cluster and has a flux of only 1.6 mJy. We have carefully flagged our data for interference and contaminated regions but we do detect a 4σ positive feature on our SA image at a position where no corresponding $>4\sigma$ source is detected on the LA map. However, a 3.7σ source is detected on the LA map. The SA and LA observations were not concurrent – if this feature is a source then source variability may explain the different SA and LA fluxes. We detect a 4σ negative feature about 8 arcmin south-west of the pointing centre at a position where there is no known cluster but, unfortunately, this lies outside the X-ray data.

There are a further two XCS clusters within our SA field of view. XM J1437+3414 lies close to the pointing centre at the 96 per cent level of the SA power primary beam. XM J1437+3408 lies south-east at a position corresponding to 53 per cent of the SA power primary beam. Neither system is thought to be massive: for XM J1437+3414 $M_{X,200} = 5.6^{+5.0}_{-2.3} \times 10^{13} M_{\odot}$ and for XM J1437+3408 $M_{X,200} = 1.5^{+2.1}_{-0.8} \times 10^{13} M_{\odot}$. We detect a 2σ decrement at the position of XM J1437+3408 but further targeted observations would be needed to assess if this is a noise feature or a very low significance SZ structure.

Stacked SZ non-detections. We have performed a simple stacking procedure on the SZ non-detections. The source-subtracted SA maps were stacked, placing all the undetected XCS clusters on top of each other. The stacked image is formed by taking the weighted sum ($w_i = 1/\sigma_i^2$) of these collocated images. At the putative SA centre in the stacked image, we find $120 \pm 41 \mu\text{Jy beam}^{-1}$, where

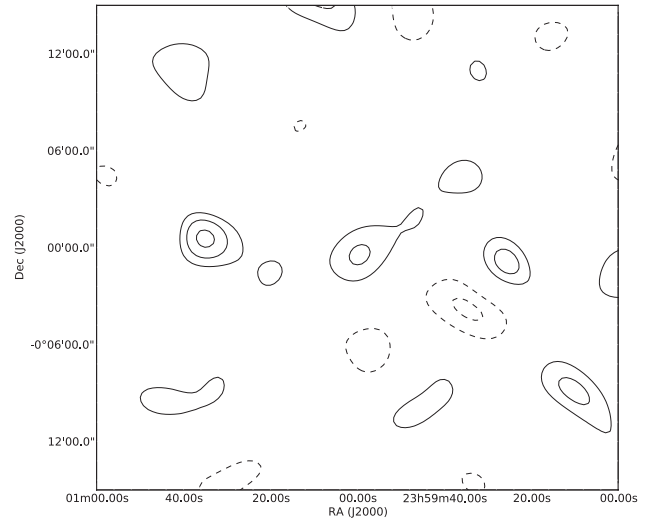


Figure 9. A weighted stacked image of the 10 clusters where there was no SA-detected SZ signal. The noise is $41 \mu\text{Jy}$ and the contour levels 2, 3, 4, 5, 6, 7, 8, 9 and 10 times the noise level.

the synthesized beam is 3 arcmin \times 3 arcmin, so we conclude that we find no SZ decrement (see Fig. 9).

8.1.2 SZ detections

XM J0830+5241. This high-redshift, very luminous cluster was recorded in the literature (e.g., Lamer et al. 2008) prior to the XCS and the SZ signature was observed by Culverhouse et al. (2010) and AMI Consortium: Schammel et al. (2013). Lamer et al. (2008) measure the bolometric luminosity to be $\approx 18 \times 10^{37} \text{ W}$, a temperature of $8.2 \pm 0.9 \text{ keV}$ and, assuming that the cluster is isothermal, spherically symmetric and in hydrostatic equilibrium, they derived a total mass within r_{500} of $5.6 \times 10^{14} M_{\odot}$. From SZ observations, Culverhouse et al. (2010) estimated a gas mass within r_{2500} of $1.12^{+0.25}_{-0.25} \times 10^{13} M_{\odot}$ and from X-ray observations this value to be $1.40^{+0.14}_{-0.20} \times 10^{13} M_{\odot}$. From SA SZ observations, AMI Consortium: Schammel et al. (2013) derived a total mass within r_{200} of $3.56^{+1.10}_{-1.11} \times 10^{14} M_{\odot}$ when modelling the decrement with a β -model density-profile, or $4.66^{+1.44}_{-1.41} \times 10^{14} M_{\odot}$ when applying the same density-profile as used in this paper. Surprisingly, even with high X-ray counts, the XCS-fitted cluster parameters suggest that the cluster is not massive ($M_{X,200} = 1.0^{+0.2}_{-0.2} \times 10^{14} M_{\odot}$). Furthermore, both the mass–luminosity scaling relations imply that the mass is low (1.0 – $2.7 \times 10^{14} M_{\odot}$). On the other hand, the mass–temperature scaling relation estimates a higher mass ($6.0^{+1.9}_{-1.5} \times 10^{14} M_{\odot}$) which is in better agreement with existing studies. This cluster is detected with a high Bayesian probability of detection and the SZ-derived mass is $M_{SZ,200} = 4.7^{+1.0}_{-1.0} \times 10^{14} M_{\odot}$.

We expect high-redshift clusters to be unresolved with the SA and in these circumstances the SA has difficulty separating sources from the SZ by exploiting their different spectral indices. Hence, when studying small angular scale clusters, it is vital that there is adequate knowledge of the source environment. For XM J0830+5241, the source environment is good and the closest source (≈ 2 arcmin from the cluster centre) has a flux of only 0.4 mJy. In Fig. 10, we plot the degeneracy between our derived mass and the closest sources and demonstrate that the sources do not significantly affect our SZ-derived mass.

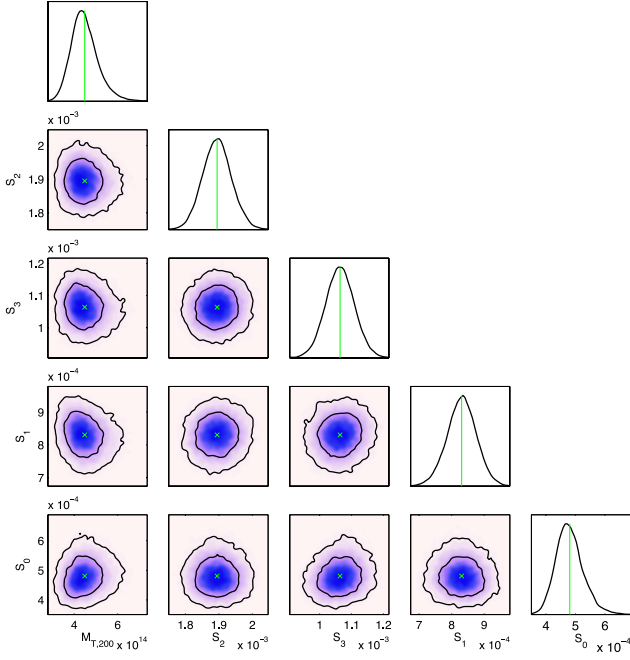


Figure 10. The mass of XM J0830+5241 and the derived flux densities for sources within 300 arcsec of the cluster centre. S_0 , S_1 , S_2 and S_3 lie at 130, 160, 220 and 240 arcsec from the cluster centre, respectively. The green lines show the mean derived parameter value.

Two other clusters discovered in the XCS, XM J0831+5234 and XM J0831+5250, lie in the field of view and they are separated from the cluster centre by 10 and 15 arcmin (at 49 and 18 per cent of the SA power primary beam, respectively). For XM J0831+5234, there are no parameter estimates in XCS and we are unable to estimate its mass, but XM J0831+5250 is not massive with $M_{X,200} = 2.32^{+0.68}_{-0.64} \times 10^{14} M_\odot$. Given their separation from the pointing centre, it would be surprising if we were to have detected decrements corresponding to either cluster in the SA data.

XM J0923+2256. This cluster, at a redshift of 0.19, is the closest cluster in our SZ sample and it was discovered in the MaxBCG survey (MaxBCG J140.85564+22.94378; Koester et al. 2007). The ‘corrected’ N_{200} value (Rykoff et al. 2012) is 20.5 ± 2.1 , from which we calculate that $M_{N,200} = 1.27 \pm 0.14 \times 10^{14} M_\odot$ (equation 10). This is in agreement with mass derived from the mass–luminosity relation but a factor of eight lower than the XCS-derived mass of $M_{X,200} = 9.75^{+14.7}_{-5.1} \times 10^{14} M_\odot$ (which has very large errors) or the mass derived from the mass–temperature relation ($1.0^{+0.4}_{-0.3} \times 10^{15} M_\odot$).

In our SA data, the ‘peak’ decrement we obtain in our map is $\approx 2\sigma$ and we have found no close contaminating sources. Our Bayesian evidences demonstrate that our data supports a model with a cluster rather than one with no cluster. The ratio of the Bayesian evidences is $e^{1.3}$ which according to the Jeffreys (1961) scale corresponds to substantial support for the model with the cluster rather than the model without the cluster. From our low significance SZ detection, we derive a mass of $M_{SZ,200} = 4.3^{+1.5}_{-1.5} \times 10^{14} M_\odot$.

The XCS-derived r_{200} for the cluster is 1922 kpc which corresponds to an angular size of 10.1 arcmin. Only the shortest SA baselines (<6m) have sensitivity on angular scales around 10 arcmin and only these baselines will measure the entire mass within r_{200} .

XM J1115+5319. This very luminous but quite cool cluster was known prior to the XCS and it is also known as SDSS J1115+5319. The cluster was discovered in the red sequence cluster survey data

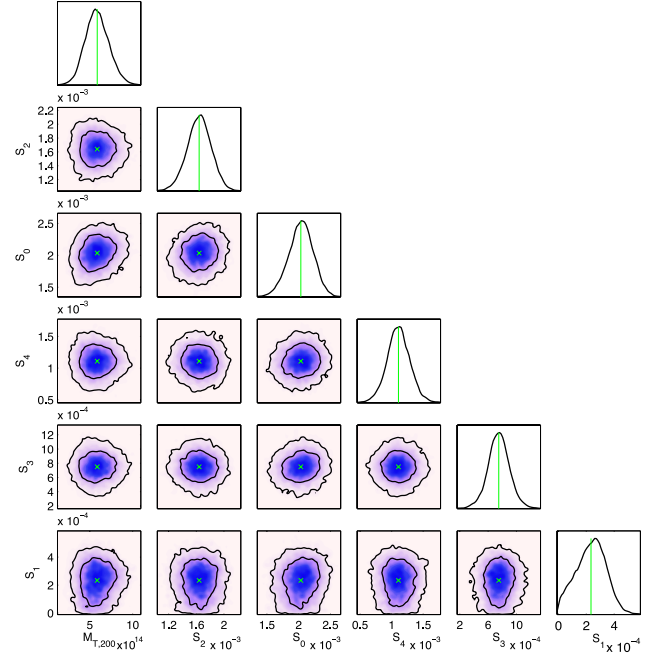


Figure 11. The mass of XM J1115+5319 and the derived flux densities for sources within 300 arcsec of the cluster centre. S_0 , S_1 , S_2 , S_3 and S_4 lie at 53, 86 arcsec, 200, 211 and 287 arcsec from the cluster centre, respectively. The green lines show the mean derived parameter value.

(Gladders & Yee 2005) but the coordinates of the cluster were first published by Hennawi et al. (2008) who identified strong gravitational lenses around the cluster. Bayliss et al. (2011) performed further gravitational lensing observations and estimated the mass within the virial radius to be $\approx 6.4^{+3.7}_{-4.3} \times 10^{14} M_\odot$.

The XCS fit to the cluster shape has not provided an estimate of r_{200} so we use $r_{200} = 1.5 \times r_{500}$, and from XCS calculate that $M_{X,200} = 2.5^{+1.4}_{-0.7} \times 10^{14} M_\odot$ and $M_{X,500} = 1.9^{+1.0}_{-0.5} \times 10^{14} M_\odot$. Using the X-ray scaling relations, we find that the expected cluster mass is higher ($4.6\text{--}6.0 \times 10^{14} M_\odot$) than the XCS value. Our mass estimate from this 6σ decrement ($M_{SZ,200} = 5.9^{+1.4}_{-1.4} \times 10^{14} M_\odot$) is significantly higher than the XCS estimate but comparable to estimates from scaling relations.

There are several radio sources within the SZ decrement, the source at the north of the decrement has an LA flux density of 0.55 mJy and the source at the south of the decrement has an LA flux density of 2.52 mJy. A further three sources lie within 5 arcmin of the cluster centre. The degeneracy between these sources and the cluster mass is shown in Fig. 11. The sources within the decrement are the most degenerate with the brightest source (S_0) within the decrement causing the largest uncertainty in our mass estimate.

XM J1226+3332. This massive high-redshift cluster is by far the most luminous in the entire sample and also the hottest in the SZ sample. There are many studies of the cluster present in the literature and it has been previously observed in both X-ray and SZ. Maughan et al. (2007) used deep *XMM-Newton* and *Chandra* observations to analyse the cluster; they derived a total mass within r_{500} of $5.2^{+1.0}_{-0.8} \times 10^{14} M_\odot$ and a temperature of 10.4 ± 0.6 keV. Muchovej et al. (2007) studied the SZ signature of the cluster with observations from the Sunyaev–Zel’dovich Array (SZA) and derived a total mass estimate within r_{200} of $7.2^{+1.3}_{-0.9} \times 10^{14} M_\odot$. The XCS mass estimate is lower ($M_{X,200} = 3.4^{+0.3}_{-0.3} \times 10^{14} M_\odot$) but is consistent with the Zhang et al. (2011) mass–luminosity scaling relation estimate ($3.4^{+9.2}_{-2.4} \times 10^{14} M_\odot$). The Pratt et al. (2009) mass–luminosity

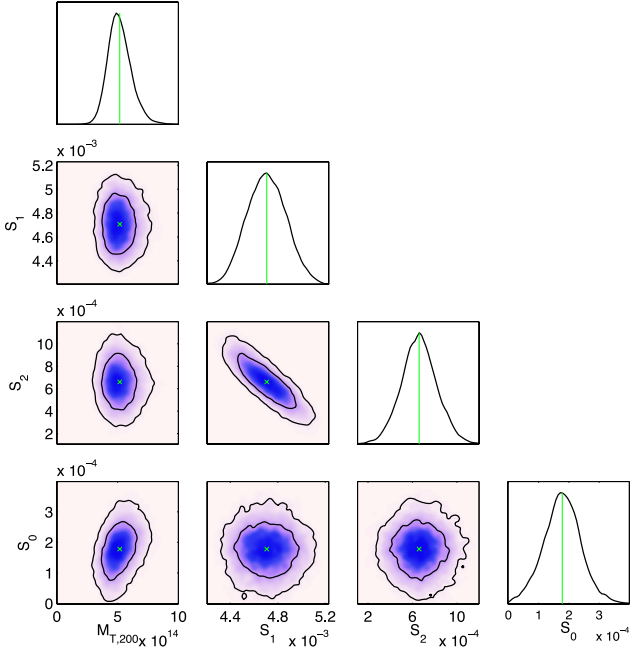


Figure 12. The mass of XM J1226+3332 and the derived flux densities for sources within 300 arcsec of the cluster centre. S_0 , S_1 and S_2 lie 4, 261 and 299 arcsec from the cluster centre, respectively. The green lines show the mean derived parameter value.

scaling relation estimate is higher ($6.5^{+0.9}_{-0.7} \times 10^{14} M_\odot$) but the Reichert et al. (2011) mass–temperature scaling relation value is very high ($16.3^{+6.1}_{-4.6} \times 10^{14} M_\odot$).

We detect an SZ decrement corresponding to a cluster of mass $5.2^{+0.9}_{-0.9} \times 10^{14} M_\odot$ which agrees well with previous studies but indicates that the Reichert et al. (2011) value is high. The XCS-derived r_{200} is 1033 ± 27 kpc which corresponds to an angular size of 133 arcsec and therefore we do not expect the cluster to be resolved by the SA, and as a consequence, the LA-measured 0.2 mJy source at the pointing centre is degenerate with the cluster mass (this degeneracy is shown in Fig. 12).

Within 15 arcmin of XM J1226+3332 there are a further three clusters: XM J1226+3343, XM J1226+3345 and maxBCG 186.7603+33.3155. These lie at the 44, 28 and 25 percent of the SA power primary beam, respectively. It is unlikely that any of these systems is sufficiently massive for SZ detection: for XM J1226+3345 there are no parameter estimates in XCS and we are unable to estimate its mass; for XM J1226+3343 the $M_{X,200} = 1.91^{+0.27}_{-0.23} \times 10^{14} M_\odot$; and the maxBCG 186.7603+33.3155 ‘corrected’ N_{200} of 26.78 ± 2.94 corresponds to a mass estimate of $M_{N,200} = 1.75 \pm 0.2 \times 10^{14} M_\odot$ (equation 10). At the position of XM J1226+3345, we find a 3σ decrement in our SA image but we have subtracted a 0.5 mJy source from this position directly from the LA flux estimates. Due to the SA sensitivity at this position in the power primary beam further targeted observations with the SA would be needed to determine if this is a genuine SZ effect.

XM J1332+5031. This cluster is a well-known Abell cluster, Abell 1758A. Not only is the cluster itself a complex merging system (e.g., Durret, Laganá & Haider 2011; David & Kempner 2004) but Abell 1758A also forms half of a spectacular double SZ system (see e.g., AMI Consortium: Rodríguez-González et al. 2012). Abell 1758B, the second component, is nearly as massive as its partner and lies 8 arcmin to the south.

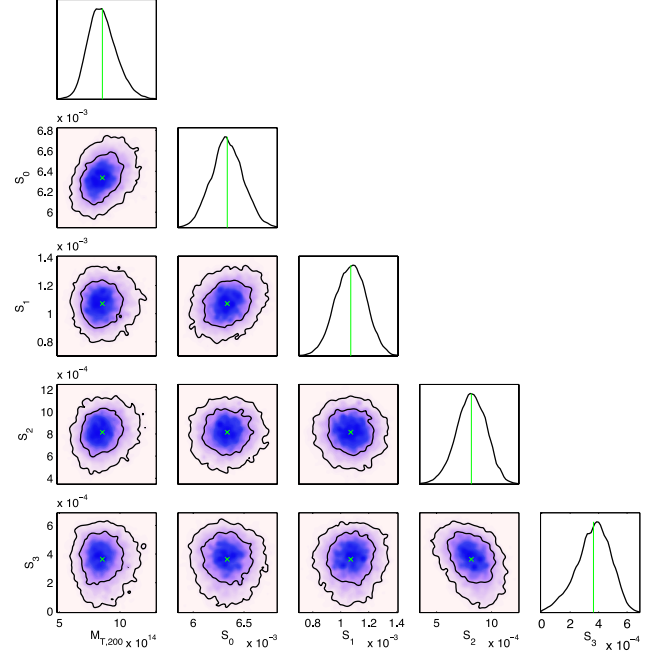


Figure 13. The mass of XM J1332+5031 and the derived flux densities for sources within 300 arcsec of the cluster centre. S_0 , S_1 , S_2 and S_3 lie 19, 185 163 and 213 arcsec from the cluster centre, respectively. The green lines show the mean derived parameter value.

Using *XMM-Newton*, Zhang et al. (2008) derived a cluster mass within r_{500} of $1.1 \pm 0.3 \times 10^{15} M_\odot$, whereas a previous AMI study (AMI Consortium: Rodríguez-González et al. 2012) found a mass within r_{200} of $5.9 \pm 1.0 \times 10^{14} M_\odot$, and the XCS-estimates are $M_{X,500} = 4.9 \pm 0.4 \times 10^{14} M_\odot$ and $M_{X,200} = 6.9 \pm 0.5 \times 10^{14} M_\odot$. Furthermore, the scaling relations using either the X-ray luminosity or temperature produce comparable mass estimates ($4.7\text{--}8.6 \times 10^{14} M_\odot$). Our 9σ detection is the most significant SZ signal detected in this study and the observed decrement corresponds to a cluster of mass $M_{SZ,200} = 8.5^{+1.2}_{-1.1} \times 10^{14} M_\odot$. The mass we have derived is comparable to previous estimates, to scaling-relationship masses, and to those derived in the XCS.

There are three faint sources within the decrement itself but the cluster is quite extended and the degeneracy between source flux densities and the cluster mass is minimal (see Fig. 13).

9 DISCUSSION

The cluster temperature is a good indicator of its mass and in this study we have obtained deep SZ observations of all observable XCS clusters that have an X-ray-derived mean temperature greater than 5 keV. If the observed clusters were isothermal, virialized and spherical then their masses could simply be calculated from the XCS temperature and redshift with equation (4) (for a 5 keV cluster this corresponds to $6.16 \times 10^{14} M_\odot$ ($r_{200} = 1.65$ Mpc) at redshift 0.2 or $3.86 \times 10^{14} M_\odot$ ($r_{200} = 1.30$ Mpc) at redshift 1.0). These high X-ray temperatures suggest that the clusters in our sample are massive but the X-ray-derived masses indicate that four of the 15 clusters in our SZ sample have a mass within r_{200} of less than $2 \times 10^{14} M_\odot$. Additionally, only five of the clusters were detected in SZ yet to the sensitivities that we have reached in our SA cluster observations we would expect to detect clusters with mass $\gtrsim 2 \times 10^{14} M_\odot$. Considering our careful selection in compiling our SZ sample and the previous successes of the SA in SZ detection from

massive clusters at various redshifts, it is unlikely that either radio source contamination or instrumental effects are responsible for the low detection rate.

In our Bayesian analysis, we use wide Gaussian priors centred on the X-ray values to direct but not drive our SZ mass estimates. We find that out of the five detected clusters, four (XM J0830+5241, XM J1115+5319, XM J1226+3332 and XM J1332+5031) have higher SZ estimates of the mass within r_{200} than the corresponding X-ray estimates. One system (XM J0923+2256) has a lower mean SZ-derived mass than X-ray-derived mass but the X-ray error bars are large. Our derived upper limits on the cluster mass for six clusters are higher than the X-ray-derived mean mass estimates. For the remaining four clusters, our upper limits on the cluster mass are lower than, but not significantly discrepant from, the X-ray mean values. A simple stacking test on our undetected cluster images shows that even in this low noise (41 μ Jy) image no SZ decrement is observed, thus placing constraints on the cumulative SZ signal from these 10 undetected clusters.

Many studies have revealed that f_g varies amongst similar clusters; furthermore, it is a function of radius and may also depend upon the cluster mass (see e.g. Vikhlinin et al. 2006; Arnaud, Pointecouteau, & Pratt 2007; Sun et al. 2009; Landry et al. 2012; Sanderson et al. 2013). In our analysis, we have used $f_g = 0.1$ at r_{200} , which according to these same studies corresponds approximately to that expected at r_{500} for a $M_{T,500} = 2 \times 10^{14} M_\odot$ cluster. Our prior on the gas mass fraction is unlikely to be correct for all clusters in our sample and an incorrect f_g prior will cause an error in the mass estimate. Due to our priors on cluster and source parameters our derived mass estimates do not change proportionally with the gas mass fraction prior. Instead, to assess the effects of an incorrect f_g , we analysed each cluster three times with different priors on this parameter (Gaussians of width 0.02 centred on 0.10, 0.14 and 0.18). We find that, on average, the derived mass for runs with $f_g = 0.10$ were 1.2 ± 0.13 times higher than runs with $f_g = 0.14$ which in turn were 1.17 ± 0.08 times higher than runs with $f_g = 0.18$. The only exception to an increasing gas mass fraction corresponding to a decreasing $M_{SZ,200}$ is XM J1115+5319, for which our mass estimates remain roughly constant throughout the f_g range we have explored. In Fig. 14, we present the derived mass estimates from the analyses with Gaussian priors on f_g centred at 0.10 and 0.18. These analyses demonstrate that we can improve the agreement between the AMI and XCS mass estimates for two of the detected clusters (XM J1226+3332 and XM J1332+5031) by centring the f_g prior on 0.18. However, for two of the five detected clusters (XM J0830+5241 and XM J1115+5319) an f_g value far in excess of 0.18 would be required to bring the AMI and XCS values into agreement and for one of the five detected clusters a very low value of f_g would be required (≈ 0.05).

A further source of disagreement between X-ray and SZ mass estimates could be that the parametric profiles used to characterize the cluster shape differ for the SA and XCS analyses. We use a non-isothermal gNFW-profile whereas the XCS analysis uses an isothermal β -profile. For the analysis of SA data, the derived mass does depend somewhat upon the density profile (see e.g., Olamaie et al. 2012). Additionally, throughout our analysis we have assumed that the redshifts of the clusters are known without error but some of the redshifts are photometric. In our SZ analysis, the redshift of a cluster is degenerate with the cluster mass. Thus, any errors in the redshifts would propagate through our analysis and influence the derived mass.

From the SA mass estimates, or upper limits, we calculate the mean cluster temperature. Besides XM J1115+5319, which has

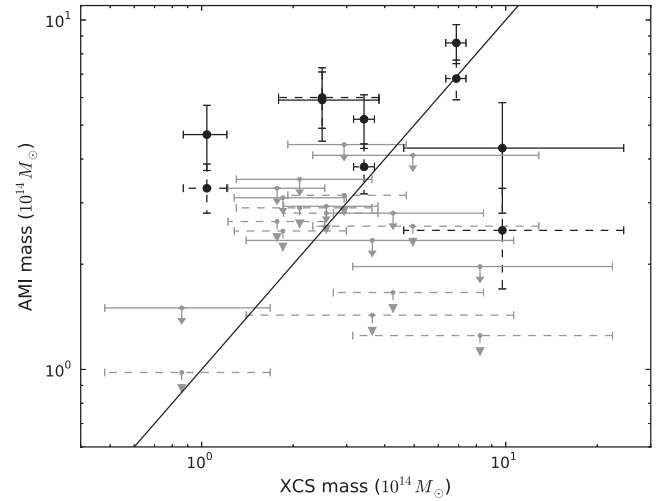


Figure 14. AMI- and XCS-derived cluster masses for AMI analyses with two different f_g priors. Black circles show the five clusters detected by AMI and grey dots show the 10 undetected XCS clusters. Solid lines give the results from the analyses with the f_g prior centred on 0.10 and dashed lines give the results from the same analysis but with the f_g prior centred on 0.18.

an equal SZ- and X-ray-derived temperature, the SZ-derived mean temperature (or upper limit on this value) for every other cluster in the SZ sample is lower than the X-ray core temperature (see Fig. 5). A possibility is that by selecting the hottest X-ray clusters we have chosen a sample of clusters that are far from idealized systems. Assuming that such systems are isothermal is certainly not valid and it may be expected that the X-ray temperatures (which are measured in the bright X-ray core) are significantly larger than the mean cluster temperature. Certainly, XM J1332+5031 (Abell 1758A) is a well-known merging system. Additionally, the errors of the X-ray-derived temperatures can be large, and given that there are many more clusters with temperatures >5 keV than <5 keV, the Eddington bias (1913) suggests that the actual temperatures of some of these clusters may be lower.

Finally, we use scaling relationships to estimate cluster masses from the XCS-derived temperatures and luminosities. We find that mass–luminosity scaled values are consistently lower than those obtained from mass–temperature estimates. Furthermore, we find that the masses estimated from the mass–temperature relation frequently exceed the SZ values revealing that for this sample of clusters the mass–temperature relation is overestimating the cluster mass.

10 CONCLUSIONS

We have presented an SZ study of a sample of the hottest galaxy clusters detected in the XCS catalogue. We find significant radio source contamination for 19 of the 34 clusters. High radio source contamination is likely to be a selection bias due to the XCS survey being conducted on the *XMM-Newton* archive which consists of targeted observations towards *interesting* X-ray sources. For the 15 clusters with low point-source contamination, we have detected only five clusters, and from our analysis of these we have derived the cluster mass and temperature. For the remaining 10 clusters, we have provided upper limits on the cluster mass and temperature. From our study, we find the following:

- (i) Many of the X-ray clusters are detected with low X-ray counts and we note that the five clusters that are detected in SZ all have

X-ray counts >700 (a total of seven clusters in our SZ sample have counts >700).

(ii) Four out of the five detected clusters (XM J0830+5241, XM J1115+5319, XM J1226+3332 and XM J1332+5031) have higher SZ estimates of the mass within r_{200} than the corresponding X-ray estimates. One system (XM J0923+2256) has a lower mean SZ-derived mass than its X-ray-derived mass but the X-ray error bars are large.

(iii) Our upper limits on the cluster mass of undetected systems are in four cases lower than the mean XCS-derived mass. For the remaining six undetected systems, our upper limits exceed the mean XCS-derived mass.

(iv) For this sample of hot XCS clusters, the mass estimates obtained from a mass–temperature scaling relation and the XCS-derived temperature consistently overestimate the cluster mass.

(v) The mean temperatures that we derive within r_{200} are significantly lower than the core X-ray temperatures.

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